Implicit Shape Model [Leibe,Schiele04]

Mario Fritz

Object Categorization in Real-World Scenes

• How to recognize ANY car











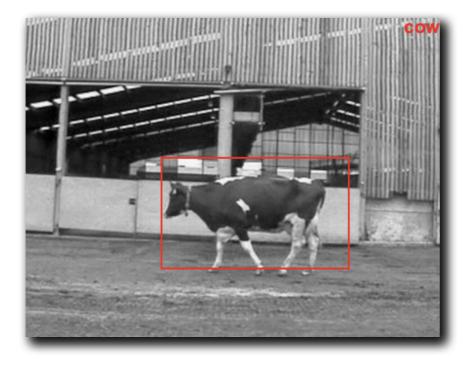
• How to recognize ANY cow

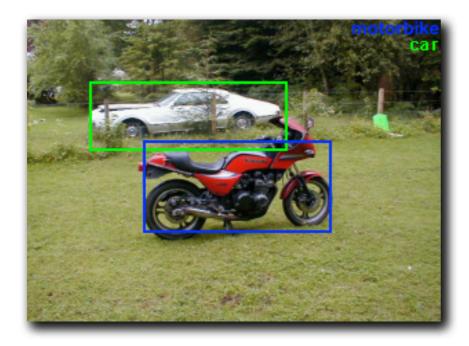


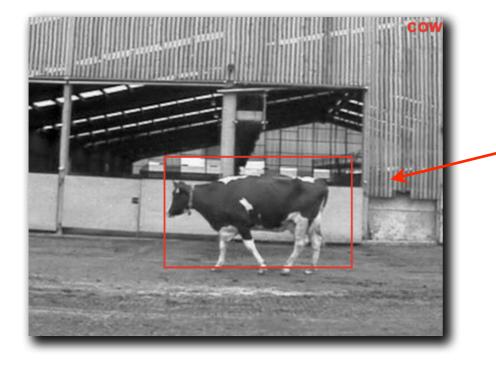




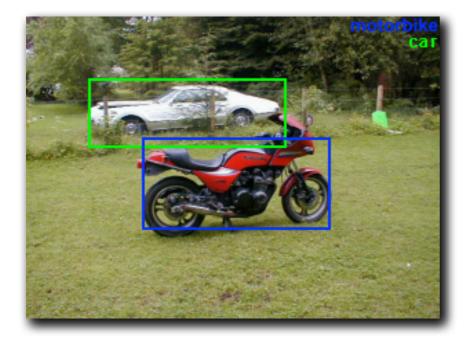


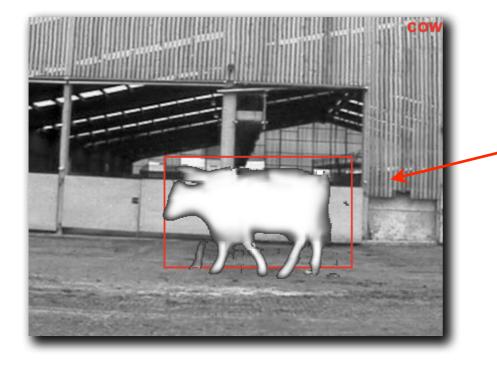




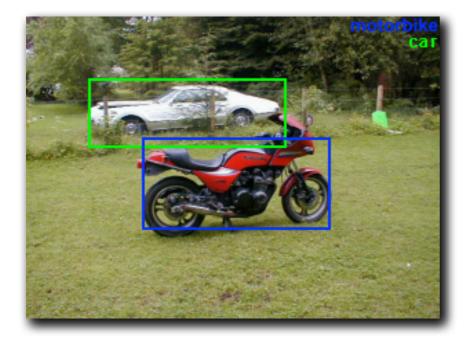


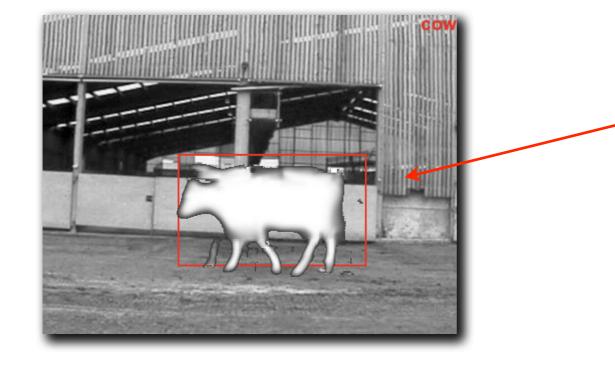




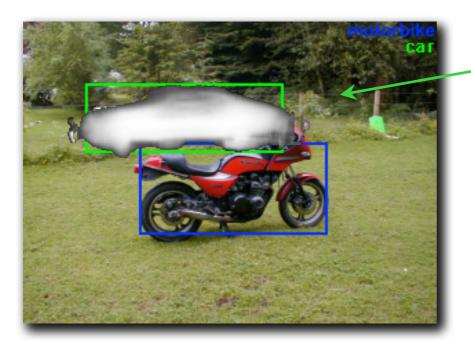




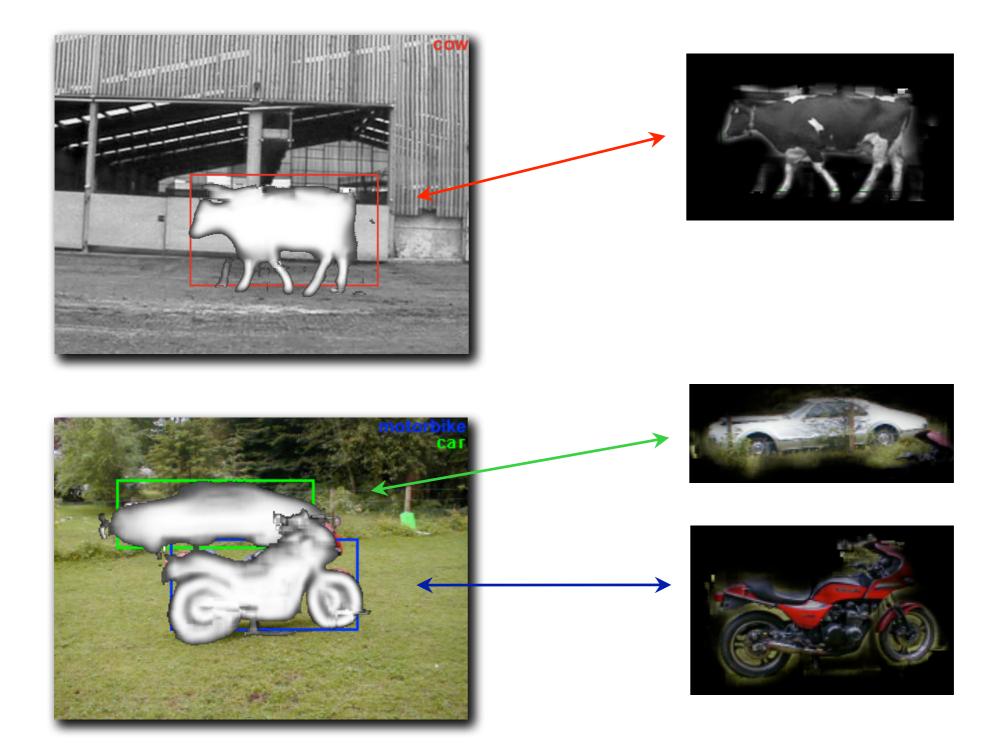








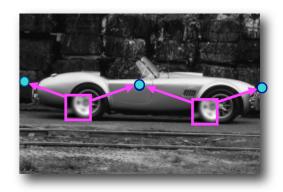


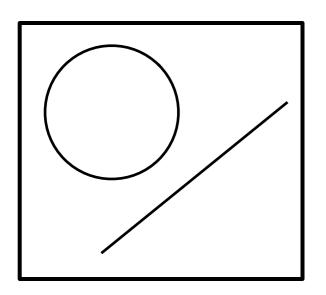


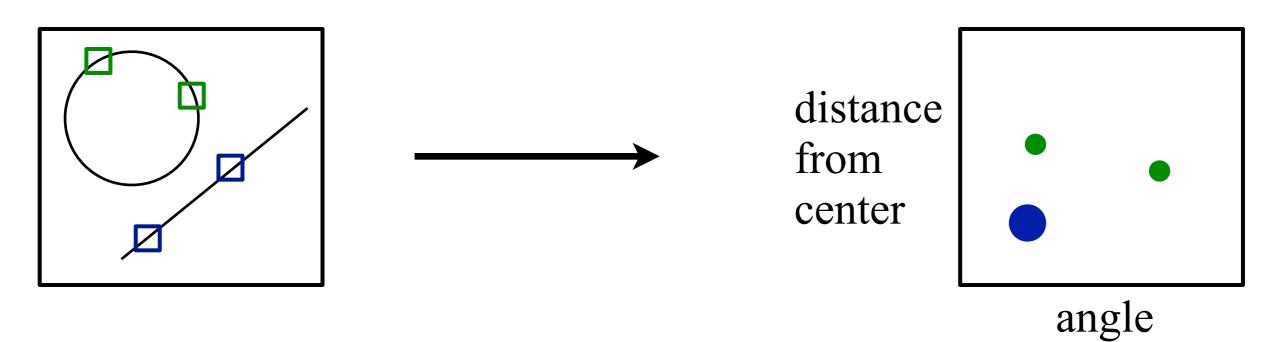
Overview

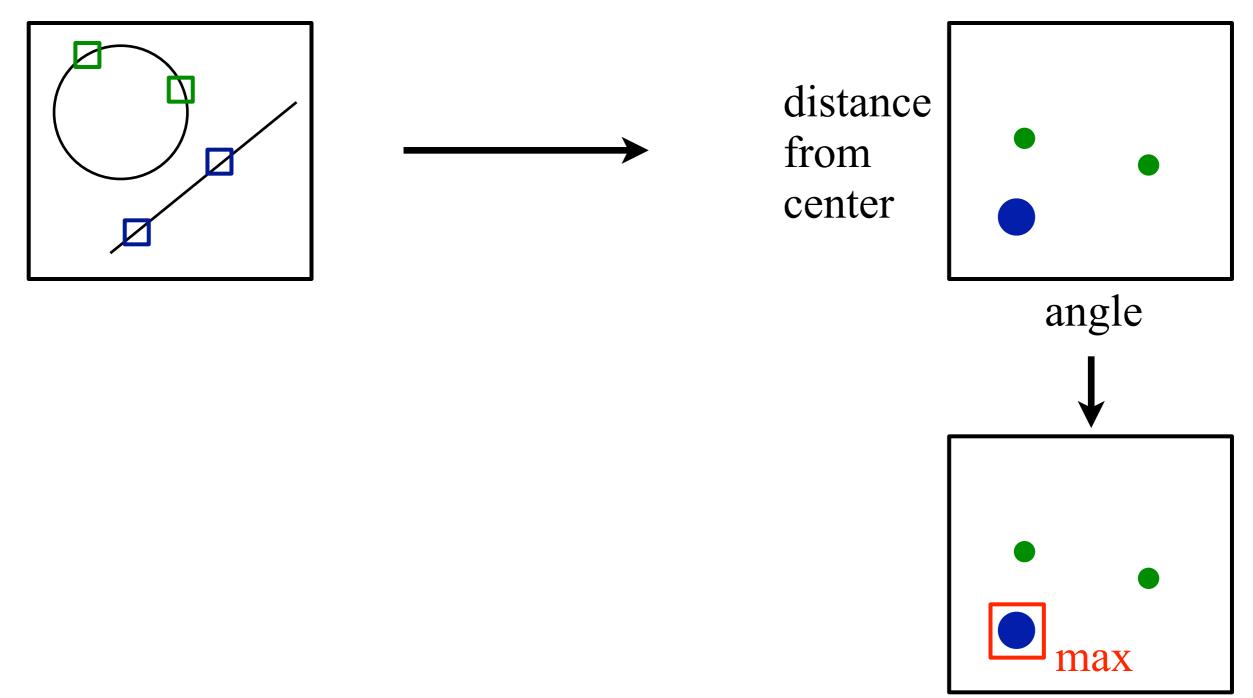
• Implicit Shape Model:

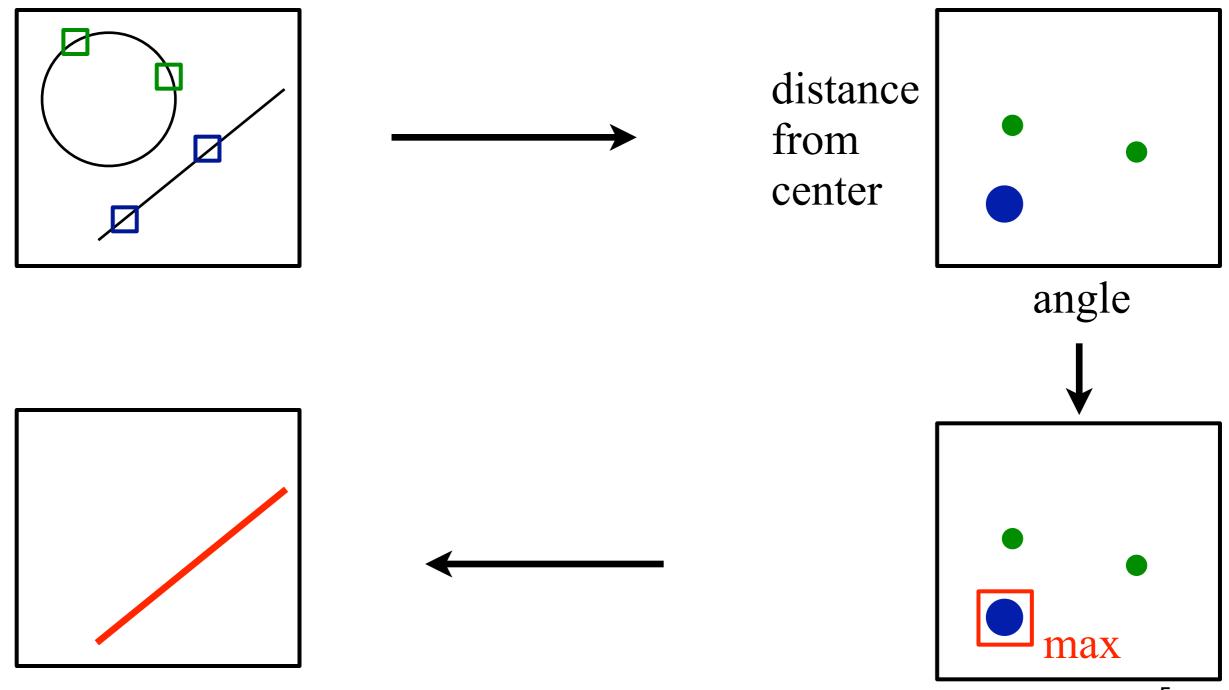
- Hough transform idea
- Non-parametric object model
- > Voting scheme for detection
- > Detection and segmentation
- Limitations and outlook





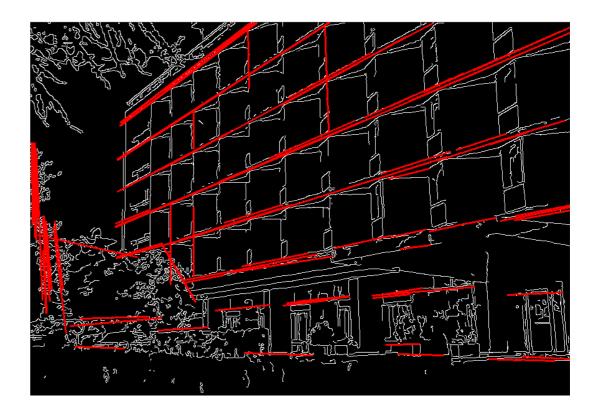






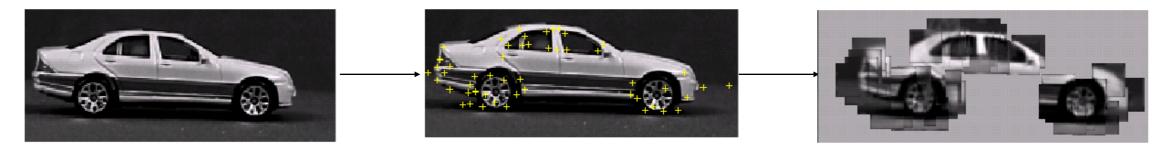
• example:





Codebook Representation

- Extraction of local object patches
 - > scale-invariant interest points (difference of gaussian)

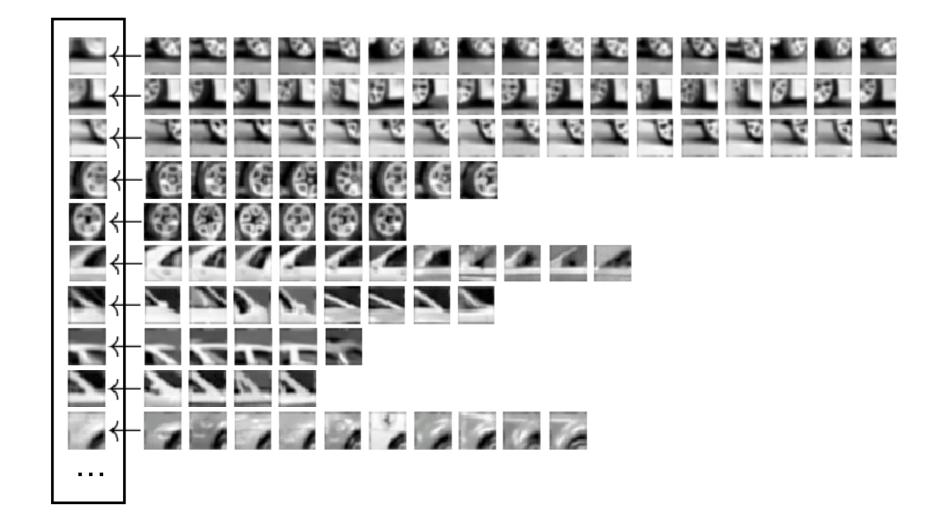


- Collect patches from whole training set
- Example:





Codebook Representation



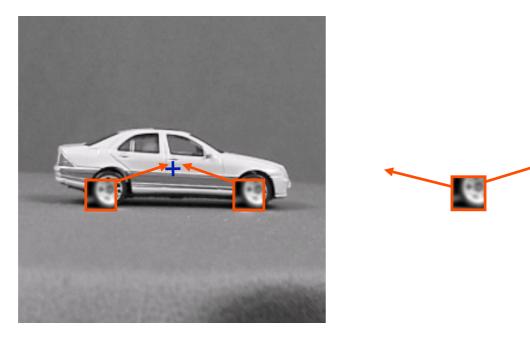
- > 50 car images
- only side views were used

• For every codebook entry, store possible "occurrences"

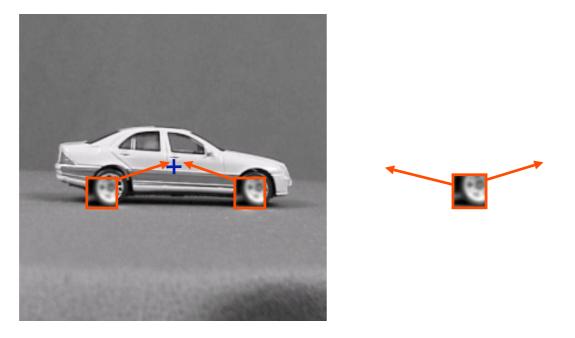
6.0



• For every codebook entry, store possible "occurrences"



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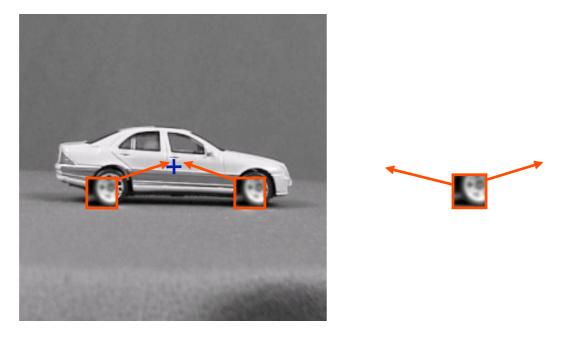


• For new image, let the matched patches vote for possible object positions

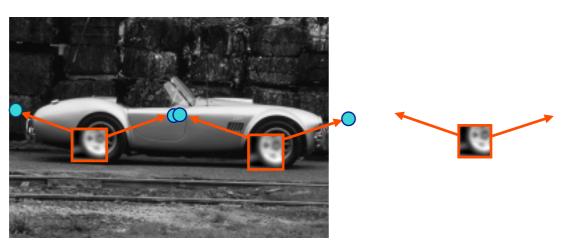




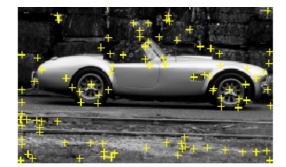
• For every codebook entry, store possible "occurrences"



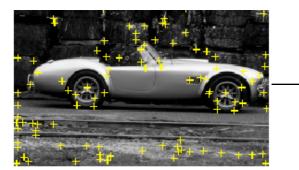
• For new image, let the matched patches vote for possible object positions



Interest Points

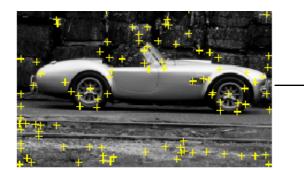


Interest Points Matched Codebook Entries





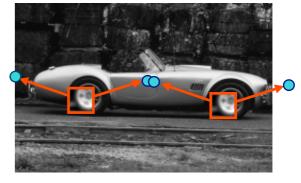
Interest Points

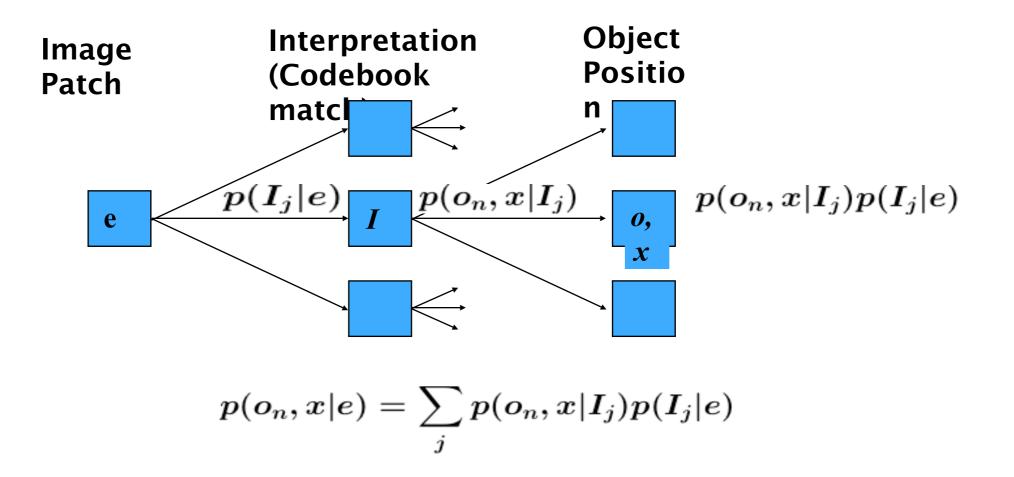


Matched Codebook Entries

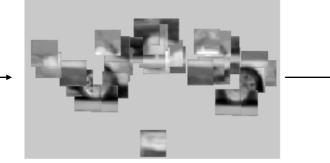


Probabilistic Voting

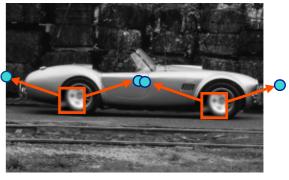




Interest Points Matched Codebook Entries



Probabilistic Voting

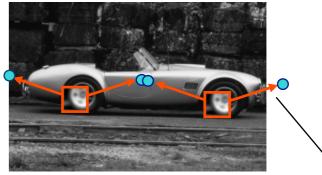


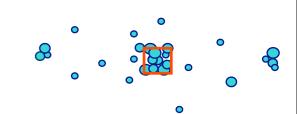
Interest Points

Matched Codebook Entries



Probabilistic Voting





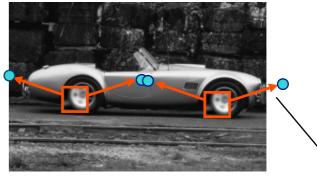
Voting Space (continuous)

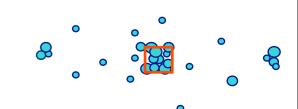
Interest Points

Matched Codebook Entries

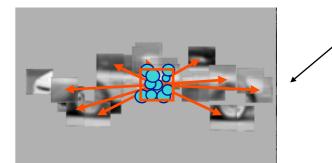


Probabilistic Voting



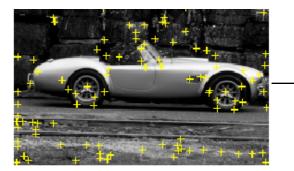


Voting Space (continuous)



Backprojection of Maximum

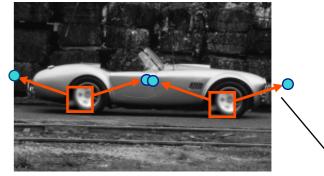
Interest Points

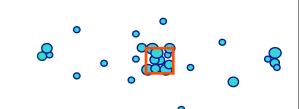


Matched Codebook Entries

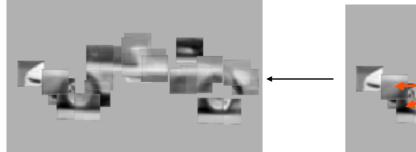


Probabilistic Voting

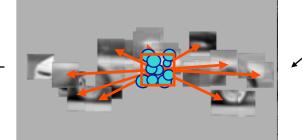




Voting Space (continuous)

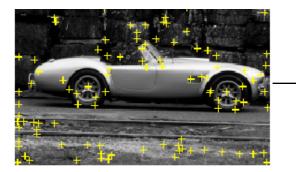


Backprojected Hypothesis



Backprojection of Maximum

Interest **Points**

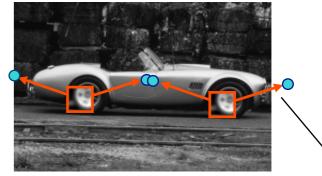


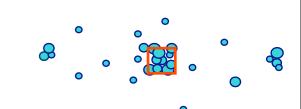
(uniform sampling)

Matched Codebook Entries

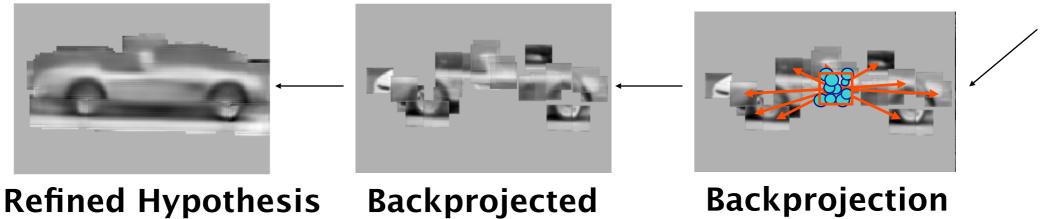


Probabilistic Voting





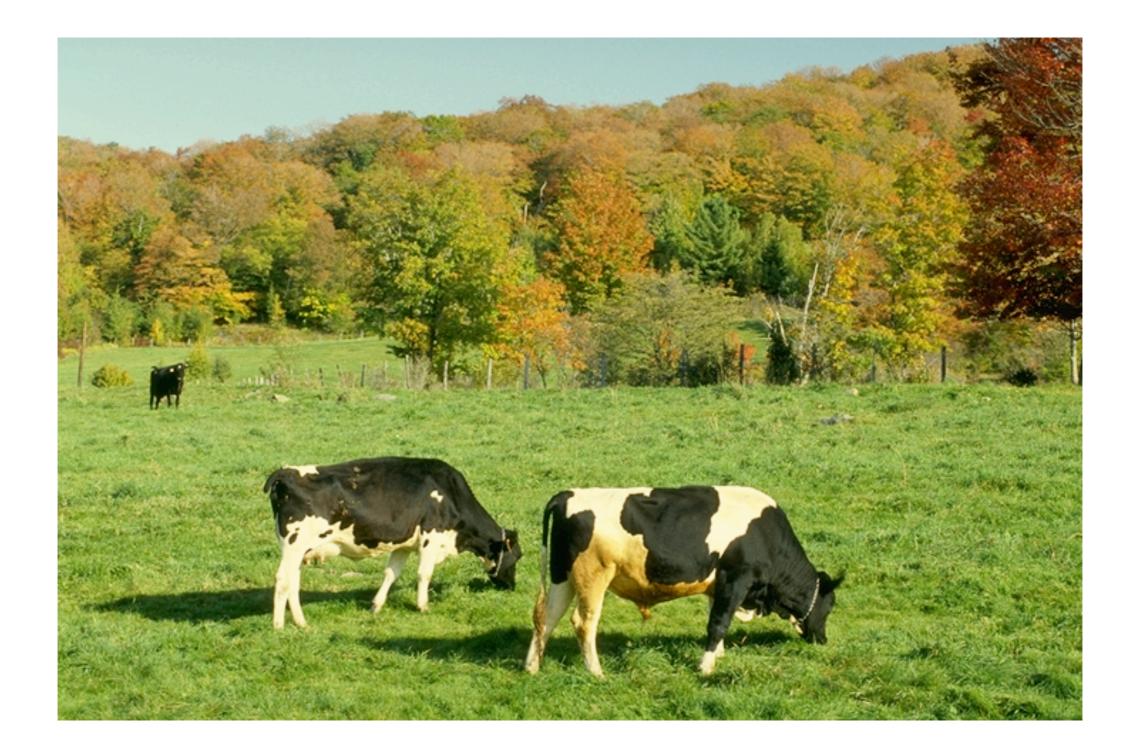
Voting Space (continuous)



Hypothesis

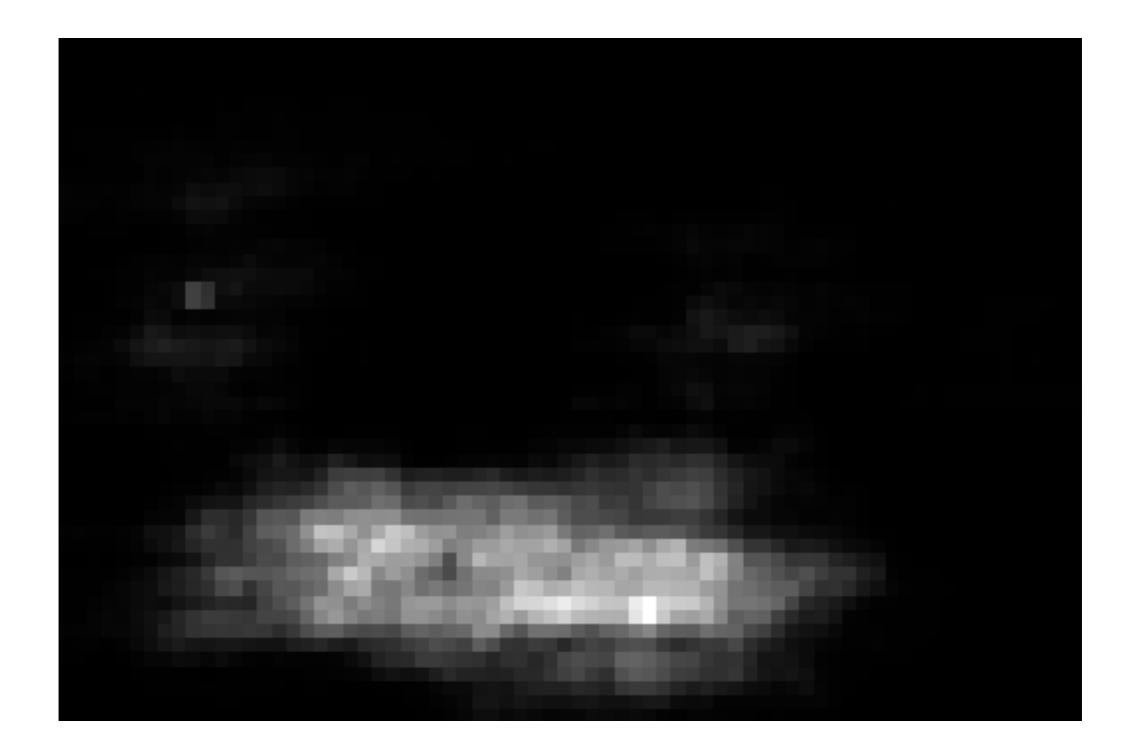
of Maximum

10







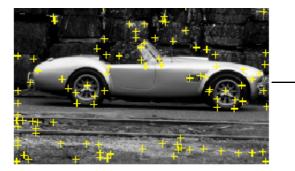








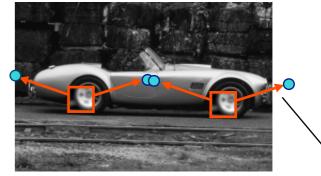
Interest Points



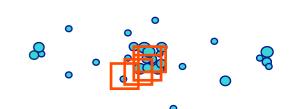
Matched Codebook Entries



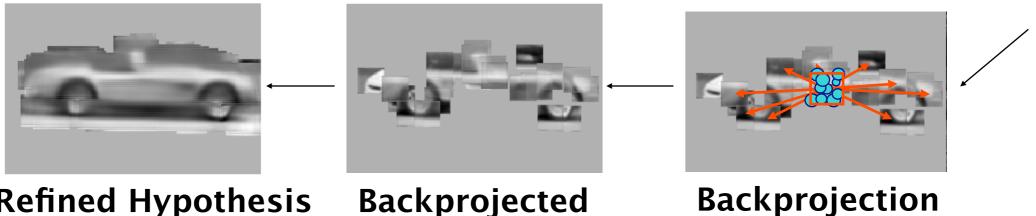
Probabilistic Voting



of Maximum



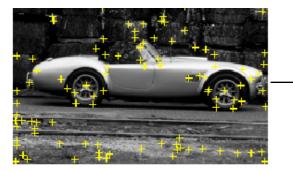
Voting Space (continuous)



Backprojected Hypothesis

Object Categorization Procedure

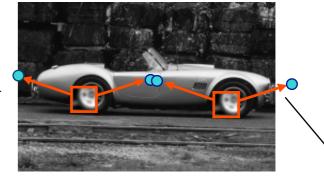
Interest **Points**

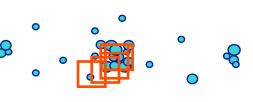


Matched Codebook Entries

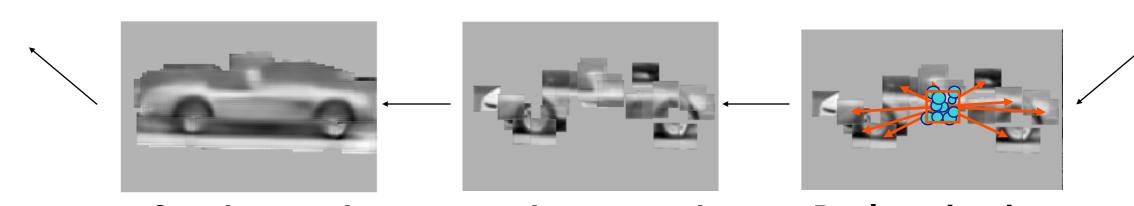


Probabilistic Voting





Voting Space (continuous)



Backprojection of Maximum

Segmentation

Refined Hypothesis (uniform sampling)

Backprojected Hypothesis

Object Categorization Procedure

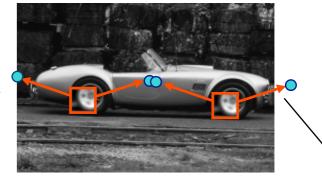
Interest Points



Matched Codebook Entries

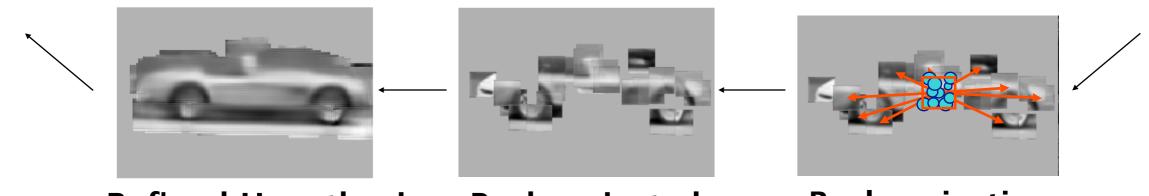


Probabilistic Voting





Voting Space (continuous)



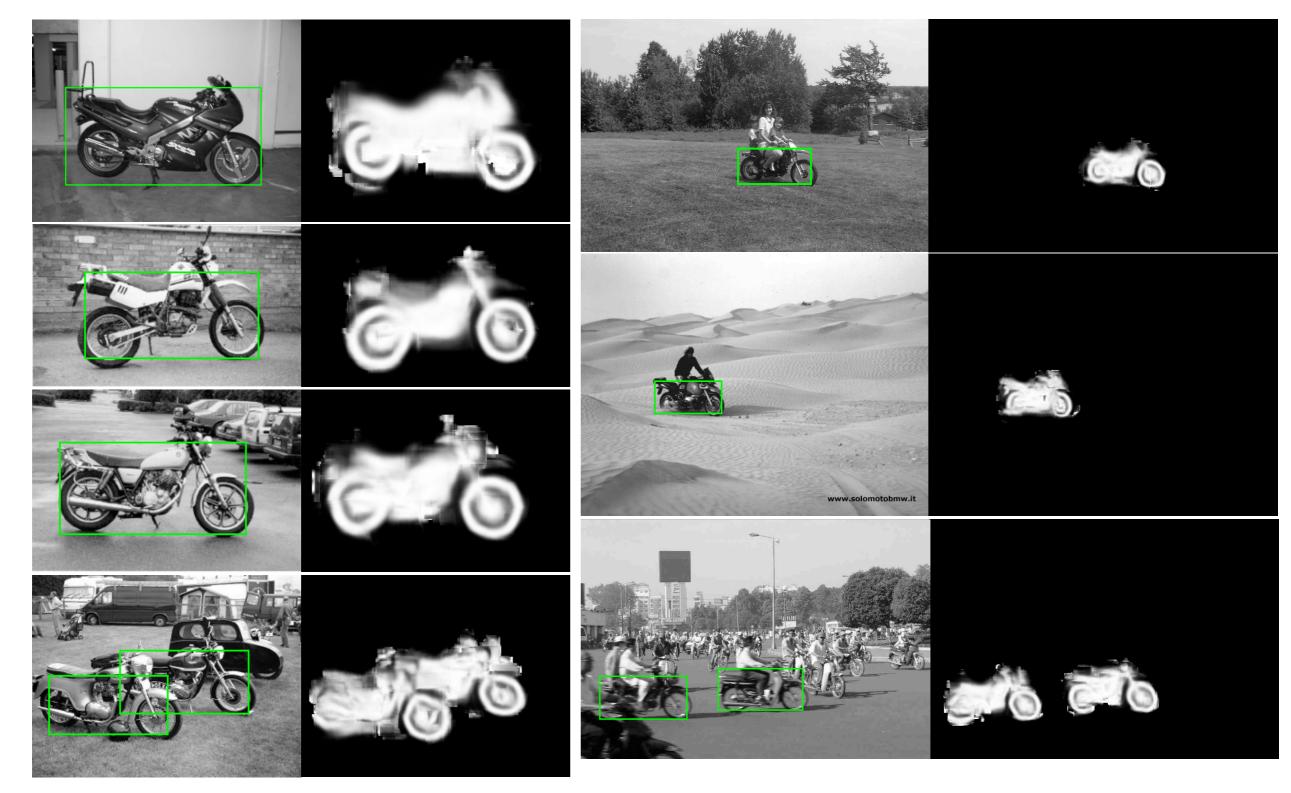
Backprojection of Maximum

Segmentation

Backprojected Hypothesis



Motorbikes: Detection/Segmentation Results



Results on New Sequences

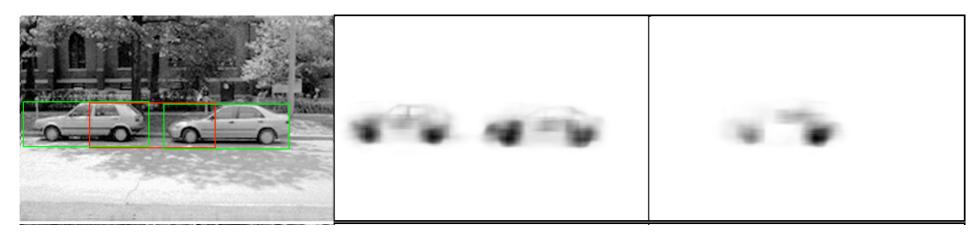
• Object Detections



Results on New Sequences

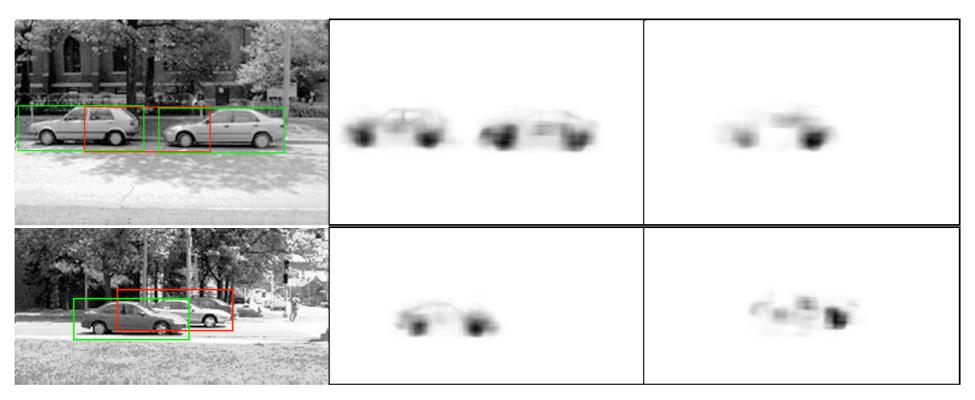
Segmentation





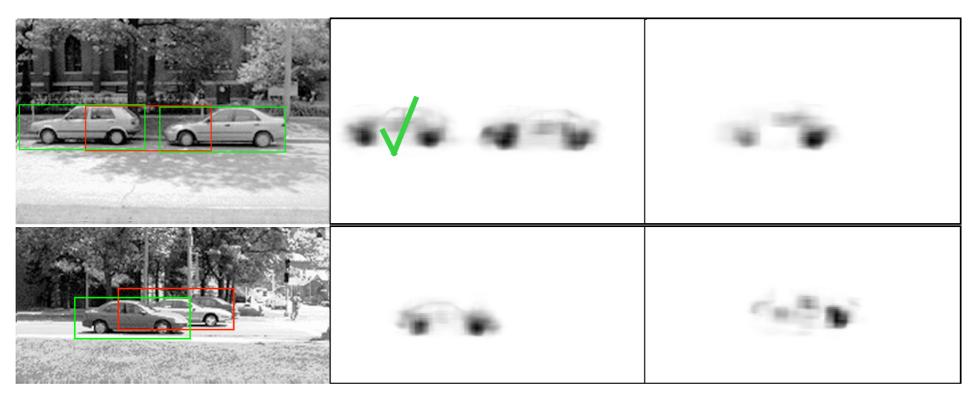
Secondary hypotheses

- > Desired property of algorithm! \Rightarrow robustness to occlusion
- Standard solution: reject based on bounding box
 - \Rightarrow Problematic may lead to missing detections!



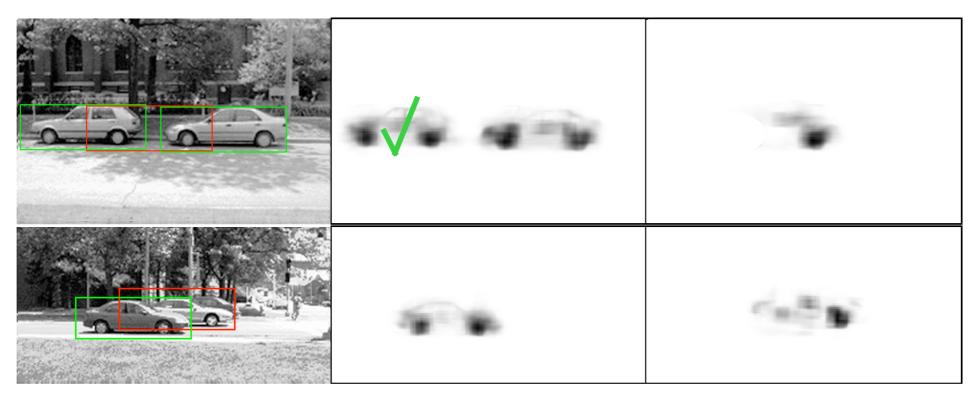
- Secondary hypotheses
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 Declaration may lead to missing datastic relevant

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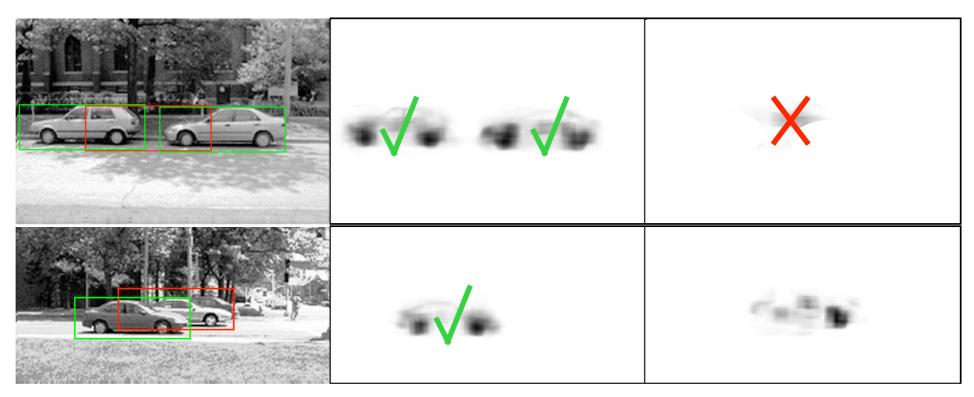
- Secondary hypotheses
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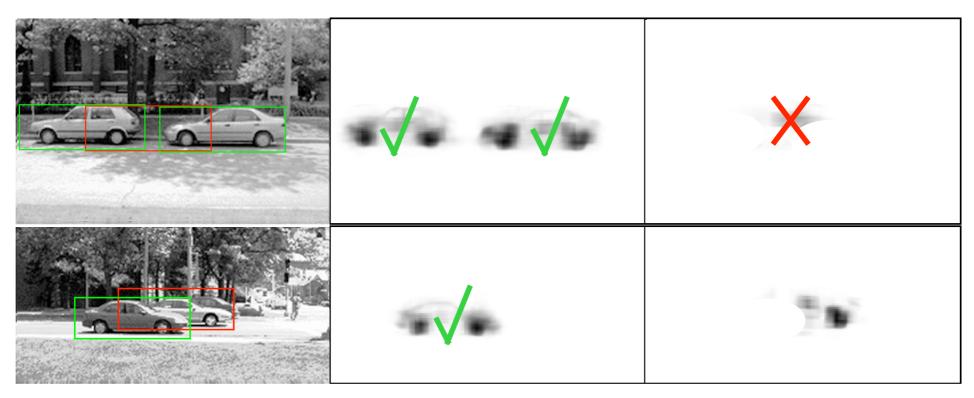


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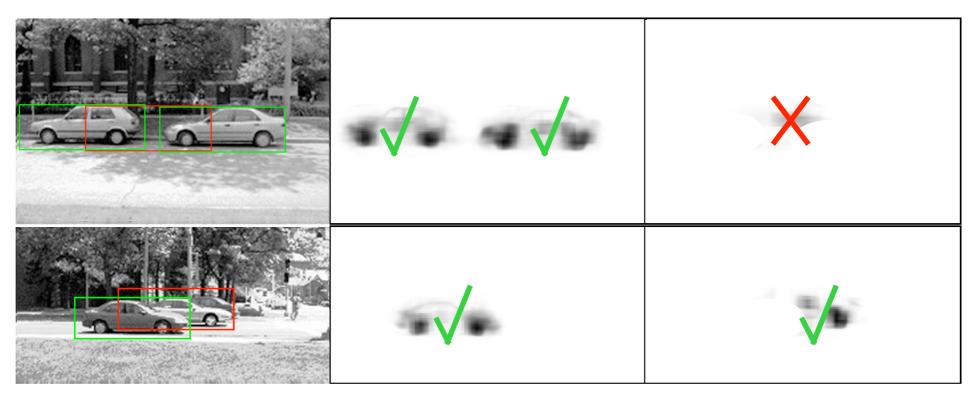
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Formalization in MDL Framework

Savings of a hypothesis

$$S_h = K_0 S_{area} - K_1 S_{model} - K_2 S_{error}$$

- with
 - > S_{area} : #pixels N in segmentation
 - ▹ S_{model}: model cost, assumed constant
 - > S_{error} : estimate of error, according to

$$S_{error} = \sum_{\mathbf{p} \in Seg(h)} (1 - p(\mathbf{p} = figure|h))$$

Savings of combined hypothesis

$$S_{h_1 \cup h_2} = S_{h_1} + S_{h_2} - S_{area}(h_1 \cap h_2) + S_{error}(h_1 \cap h_2)$$

-> greedy optimization of total savings

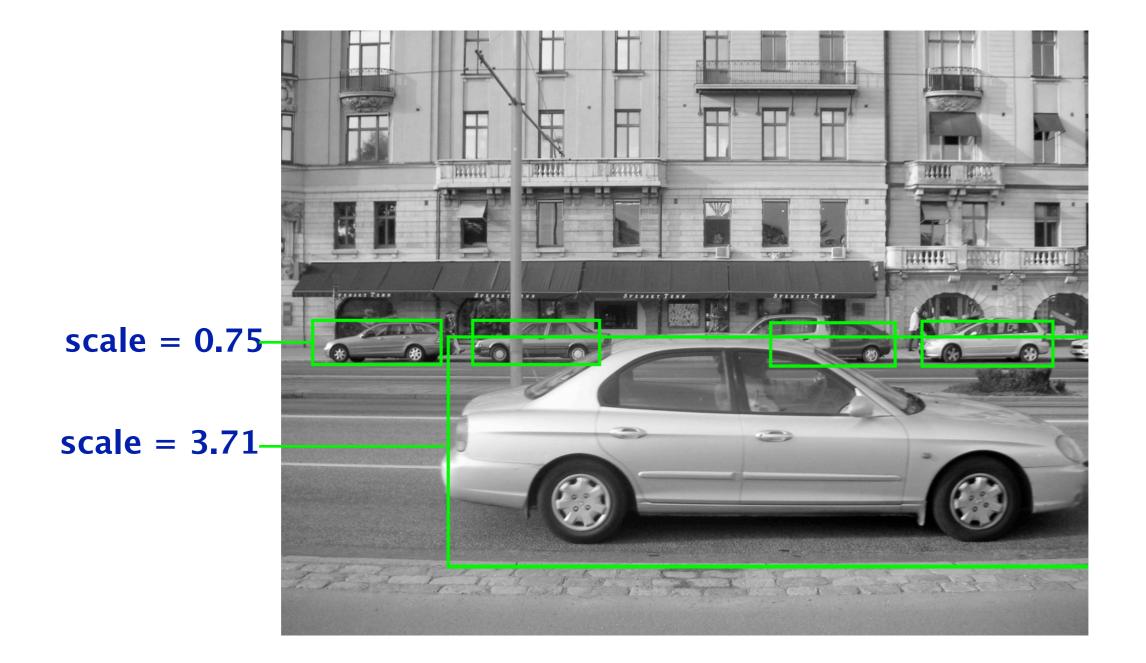
Extension to Scale Invariance



Extension to Scale Invariance

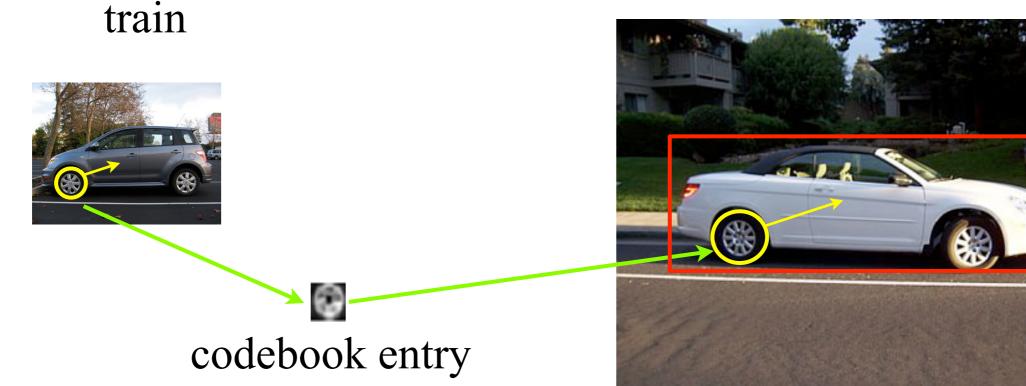


Extension to Scale Invariance



Extensions to Scale Invariance





• Generate scale votes

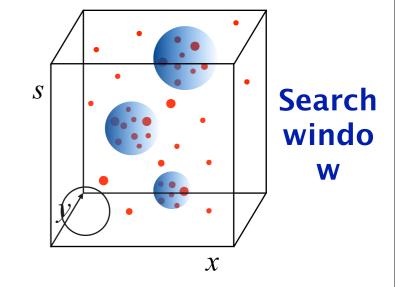
> Scale as 3rd dimension in voting space

$$x_{vote} = x_{img} - x_{occ}(s_{img}/s_{occ})$$

$$y_{vote} = x_{img} - y_{occ}(s_{img}/s_{occ})$$

$$s_{vote} = (s_{img}/s_{occ})$$

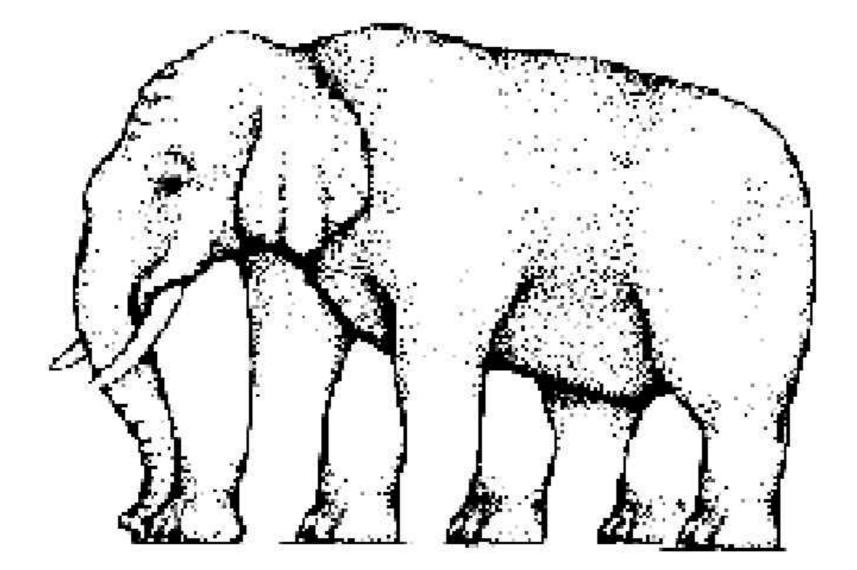
Search for maxima in 3D voting space



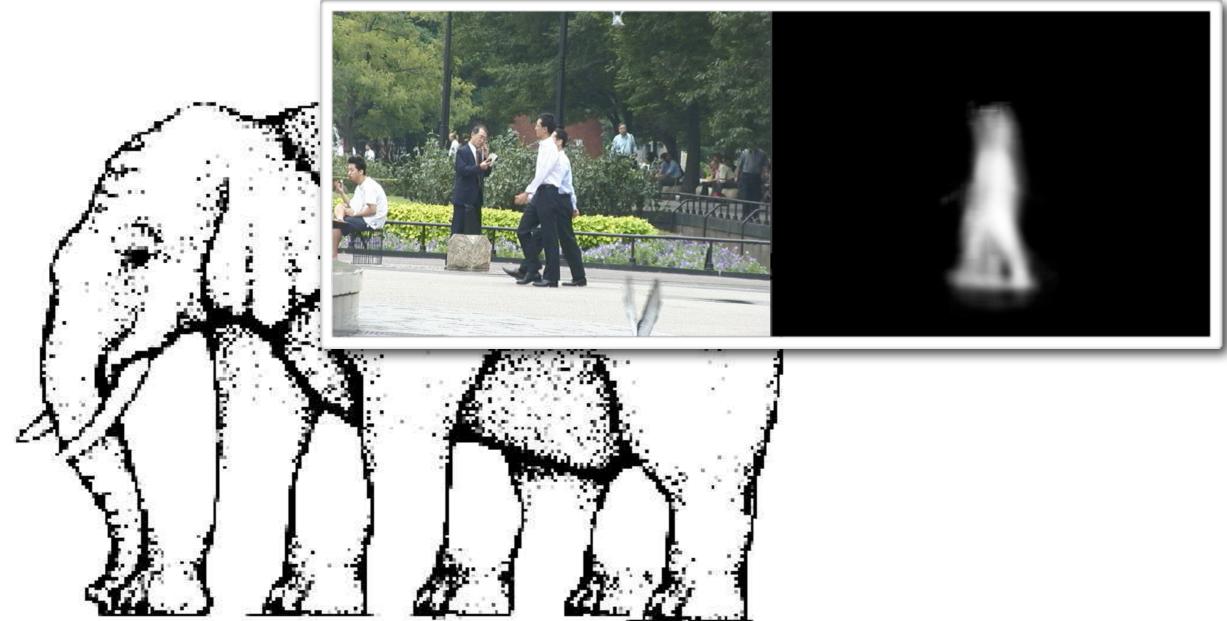
Extension to Rotation Invariance [Mikolajczyk06]



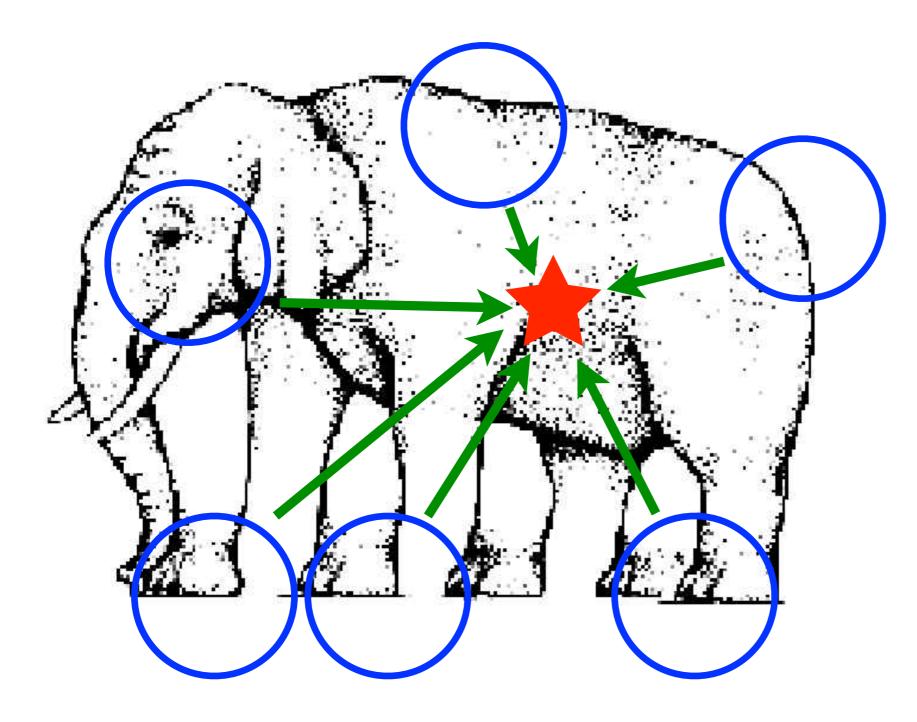
Complexity of Recognition: Local Voting vs. Global Cosistency



Complexity of Recognition: Local Voting vs. Global Cosistency



Complexity of Recognition: Local vs. Global



star model

Outlook to Lecture on 3rd March

- Recovering global consistency
- Adding discriminance to the model