

Mittern - nice!

op-amps

"operational" ?

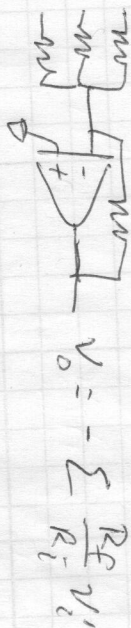
2 stage

bias network

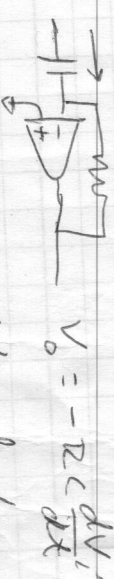
op-amps

operational amplifiers - before computers

↳ addition, subtraction



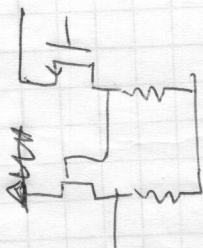
↳ integral & derivatives



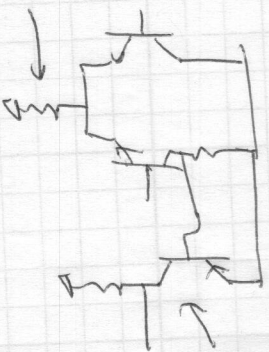
$i = C \frac{dV}{dt}$
integral, log, exp.

2 stage op-amp

Simplest



better



why pnp or pnp?

Why tail resistor?
(1936)

early days: tube amps K-2W 1951

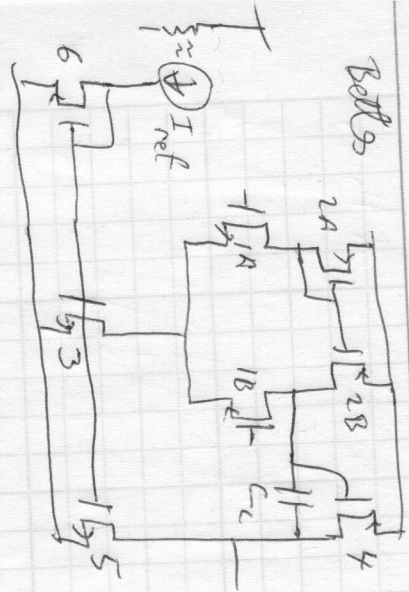
then discrete NPN

integrated NPN, NPN+PNP



Bias

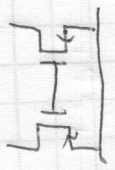
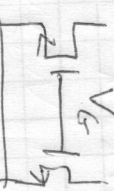
(PVT independent)



We will look at other topologies as well

| | |
|------------------------|---------|
| diff pair | 1A, 1B |
| active load | 2A, 2B |
| gain stage | 4/5 |
| output stage | none |
| bias network | 6, 3, 5 |
| signal paths | 1, 2, 4 |
| compensation capacitor | Cc |

Bias network



correct mirror

assuming identical transistors both in substrate

$$\lambda = 0$$

How different can I_{D1} and I_{D2} be?

$$A = 0$$

What if $\lambda \neq 0$?

$$I_D = I_{D0} (1 + \lambda V_{DS})$$

$$\Delta I_D = I_{D0} \lambda \Delta V_{DS}$$

$$\frac{\Delta I}{I_D} = \lambda \Delta V_{DS}$$

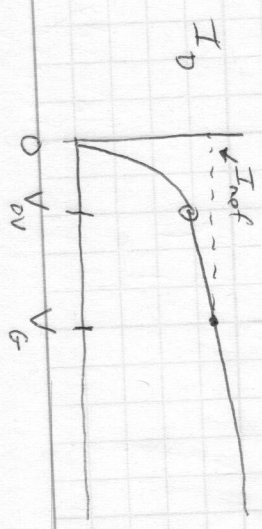
'input common mode type' output swing

frequency response
 common mode rejects noise
 power supply rejects noise
 input offsets
 noise



$$I_{Dref} = \frac{\mu_n C_{ox}}{2} \frac{W}{L} V_{ovc}^2 (1 + \lambda V_{DS3})$$

$$I_{D2} = \left(\dots \right) (1 + \lambda V_{DS3})$$



I_{D2} can be less than or greater than I_{D1}

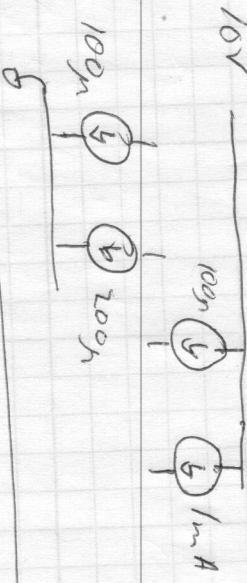
$|V_{th}| = 1$ $M_{th} = 50 \mu A$ $\mu_{pox} = 25 \frac{cm^2}{V \cdot s}$

$V_{DB} = 10 V$ assume $\lambda = 0$

with a $100 \mu A$ sink, $200 \mu A$ sink

$100 \mu A$ source $1 nA$ source

swing to within $0.2 V$ of rails



$I_{D2} = I_{b1} \left(\frac{W/L \right)_2 \Rightarrow \left(\frac{W}{L} \right)_2 = \left(\frac{W}{L} \right)_1 = 100$

$I_{D3} = 200 \mu A \Rightarrow \left(\frac{W}{L} \right)_3 = 2 \left(\frac{W}{L} \right)_1 = 200$

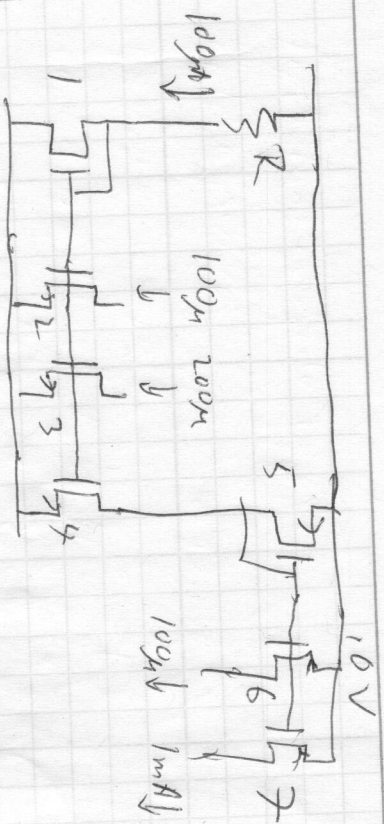
pick $I_{D4} = I_{D1} \Rightarrow \left(\frac{W}{L} \right)_4 = 1000$

load $|V_{ov5}| \leq 200 mV$ pick $200 mV$

$100 \mu A = I_{D5} = \mu_p C_{ox} \left(\frac{W}{L} \right)_5 (V_{ov5})^2$

$= \frac{25 \mu A / 0.2 (V)}{2} \left(\frac{W}{L} \right)_5 (0.2 V)^2$

$\Rightarrow \left(\frac{W}{L} \right)_5 = 200$

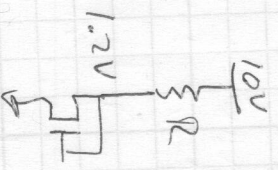


pick $V_{ov1} = 200 mV$

$I_{D1} = \mu_n C_{ox} \left(\frac{W}{L} \right)_1 V_{ov1}^2 = \frac{25 \mu A (W/L)_1 (0.2 V)^2}{V^2} = 1 \mu A \left(\frac{W}{L} \right)_1 \Rightarrow \left(\frac{W}{L} \right)_1 = 100$

$\left(\frac{W}{L} \right)_6 = \left(\frac{W}{L} \right)_5 = 200$

$\left(\frac{W}{L} \right)_9 = 10 \left(\frac{W}{L} \right)_5 = 1,000$



$R = \frac{10 - 1.2 V}{0.1 \mu A} = 8.8 K$

what if V_{DB} varies? V_{th} varies? R varies?