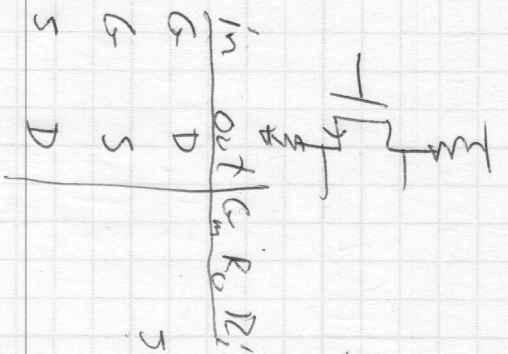
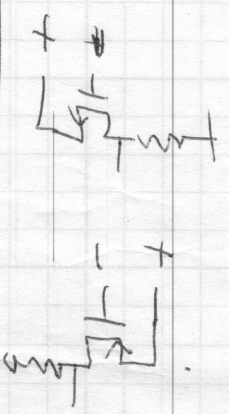


Midterm Friday

Monday to Larry 540 Monday !!



simplest op-amp?



lost file: CS, w/RS

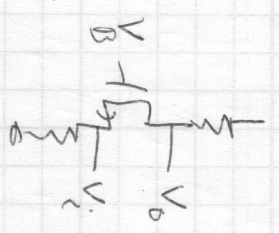
$$R_o = r_o + (1 + g_m r_o) R_s$$

$$G_m = \frac{g_m}{1 + g_m R_s + \frac{R_s}{r_o}}$$

$$\approx \begin{cases} r_o & R_s < \frac{1}{g_m} \\ g_m R_s & R_s > \frac{1}{g_m} \end{cases}$$

$$\approx \begin{cases} g_m & R_s < \frac{1}{g_m} \\ \frac{1}{R_s} & R_s > \frac{1}{g_m} \end{cases}$$

Common Gate



$$G_m = -g_m$$

$$R_o = r_o \text{ same as CS but w/ } s_n c \text{ impedance}$$

$$R_i = \frac{1}{g_m} \left(1 + \frac{R_D}{r_o} \right)$$

$$\approx \begin{cases} \frac{1}{g_m} & R_D < r_o \\ \frac{R_D}{g_m r_o} & R_D > r_o \end{cases}$$

but if

But these voltages & currents are only true under the special circumstances

$$V_o = 0 \text{ or } v_i = 0$$

Be careful not to confuse "Gm calc" and "Ro calc" conditions for what happens when you misgale v_i .

What is the input resistance of a common drain

$$\text{approx w/ } g_{mb} = 0.02 g_m \quad g_m R_D = 100$$

$$A_v = -g_m R_D = \frac{-g_m}{g_m + s_{m3}} \cdot \frac{1}{1 + \frac{1}{s_{m3} R_D}} \approx \frac{1}{1.2} \approx 0.8$$

$$r_{in} = C_{gd} + C_{gs} (1 - A)$$

$$= C_{gd} + 0.02 C_{gs}$$

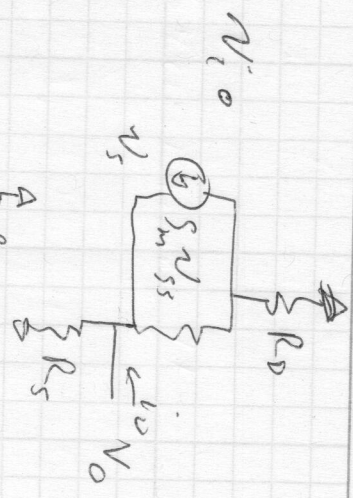
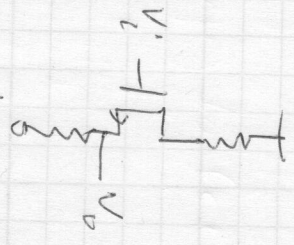
$$\frac{2}{3} W L C_{ox}$$



| | in | out | | | |
|---|----|-----|--|---|---------------------------------------|
| C | B | | G_m | R_D | R_i |
| | | | $\frac{g_m R_D}{1 + s_{m3} R_D}$ | $R_D + R_S (1 + s_{m3} R_D)$ | s_{m3}^2 (Miller) |
| C | S | | $\frac{-g_m R_D}{1 + \frac{R_D}{r_D}}$ | $R_S \parallel \left(\frac{R_D}{s_{m3}} (1 + \frac{R_D}{r_D}) \right)$ | same |
| S | D | | $-g_m$ | same as CS and w/ R_{SRC} | $\frac{1}{g_m} (1 + \frac{R_D}{r_D})$ |

Next up: 2 stage op-amp

Common Drain



$$G_m = \frac{i_o}{v_i} \Big|_{v_i=0}$$

$$v_i = i_o R_D$$

$$KCL @ v_o \quad i_o + s_m v_i + \frac{1}{r_o} (i_o R_D - v_o) = 0$$

$$R_{vp} = \frac{v_o}{v_i} = \frac{1 + \frac{R_D}{r_o}}{s_m + \frac{1}{r_o}} \approx \frac{1}{s_m} \left(1 + \frac{R_D}{r_o} \right)$$

all of these $g_m \Rightarrow s + g_{mb}$

$$R_S \approx R_{S||} \frac{1}{s_m} \left(1 + \frac{R_D}{r_o} \right)$$

$$A_v = -G_m R_D = +g_m \frac{R_D}{g_m + s_{mb}} \left(\frac{R_D}{r_o} \right)$$

$$= \frac{1}{1 + \frac{1}{s_m r_o}}$$

w) no body effect

$$= \frac{s_m}{s_m + s_{mb}}$$

w) body effect and good intr. g_m

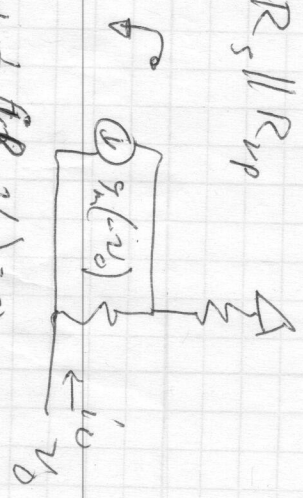
$$i_o \left(1 + \frac{R_D}{r_o} \right) = -s_m v_i$$

$$G_m = \frac{i_o}{v_i} = \frac{-g_m}{1 + \frac{R_D}{r_o}}$$

← does not set g_m due to body effect

$$R_o = \frac{v_o}{i_o} \Big|_{v_i=0} = R_S || R_{vp}$$

$$R_{vp} = \frac{v_o}{i_o} \Big|_{v_i=0}$$



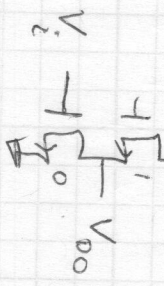
$$i_{op} + g_m (-v_o) + \frac{1}{r_o} (R_D - v_o) = 0$$

$$R_{vp} = \left(g_m + \frac{1}{r_o} \right) \left(1 + \frac{R_D}{r_o} \right) i_{op} = \left(s_m + \frac{1}{r_o} \right) v_o$$

SO

$$A_v = \frac{v_o}{v_i} = -G_m R_D = -G_{m_{vdd}} R_{vdd}$$

$$A_{vdd} = \frac{v_{vdd}}{v_i} = -G_{m_{vdd}} R_{vdd}$$



One way: write down small signal for everything

solve all against v_o (spice)

simple: Find G_m (get to ground v_o)

Find R_o (set to ground v_i)