

Statistical NLP

Spring 2011



Lecture 22: Compositional Semantics

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Truth-Conditional Semantics

- Linguistic expressions:

- "Bob sings"

- Logical translations:

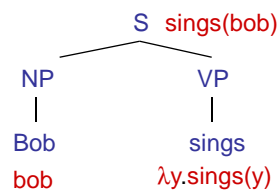
- $\text{sings}(\text{bob})$
- Could be $\text{p_1218}(\text{e_397})$

- Denotation:

- $[[\text{bob}]]$ = some specific person (in some context)
- $[[\text{sings}(\text{bob})]]$ = ???

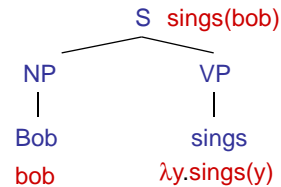
- Types on translations:

- $\text{bob} : e$ (for entity)
- $\text{sings}(\text{bob}) : t$ (for truth-value)



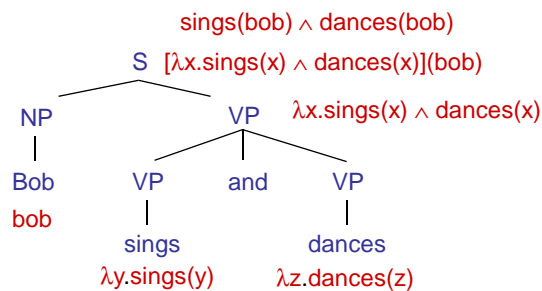
Truth-Conditional Semantics

- Proper names:
 - Refer directly to some entity in the world
 - Bob : bob $[[\text{bob}]]^w \rightarrow ???$
- Sentences:
 - Are either true or false (given how the world actually is)
 - Bob sings : sings(bob)
- So what about verbs (and verb phrases)?
 - sings must combine with bob to produce sings(bob)
 - The λ -calculus is a notation for functions whose arguments are not yet filled.
 - sings : $\lambda x.\text{sings}(x)$
 - This is *predicate* – a function which takes an entity (type e) and produces a truth value (type t). We can write its type as $e \rightarrow t$.
 - Adjectives?



Compositional Semantics

- So now we have meanings for the words
- How do we know how to combine words?
- Associate a combination rule with each grammar rule:
 - $S : \beta(\alpha) \rightarrow NP : \alpha \quad VP : \beta$ (function application)
 - $VP : \lambda x . \alpha(x) \wedge \beta(x) \rightarrow VP : \alpha \quad \text{and} : \emptyset \quad VP : \beta$ (intersection)
- Example:

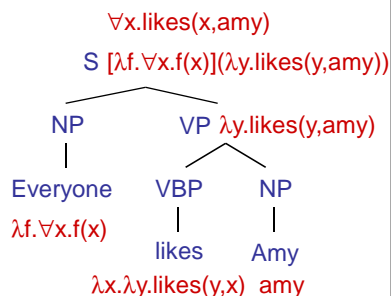


Denotation

- What do we do with logical translations?
 - Translation language (logical form) has fewer ambiguities
 - Can check truth value against a database
 - Denotation (“evaluation”) calculated using the database
 - More usefully: assert truth and modify a database
 - Questions: check whether a statement in a corpus entails the (question, answer) pair:
 - “Bob sings and dances” → “Who sings?” + “Bob”
 - Chain together facts and use them for comprehension

Other Cases

- Transitive verbs:
 - likes : $\lambda x.\lambda y.likes(y,x)$
 - Two-place predicates of type $e \rightarrow (e \rightarrow t)$.
 - likes Amy : $\lambda y.likes(y,Amy)$ is just like a one-place predicate.
- Quantifiers:
 - What does “Everyone” mean here?
 - Everyone : $\lambda f.\forall x.f(x)$
 - Mostly works, but some problems
 - Have to change our NP/VP rule.
 - Won’t work for “Amy likes everyone.”
 - “Everyone likes someone.”
 - This gets tricky quickly!



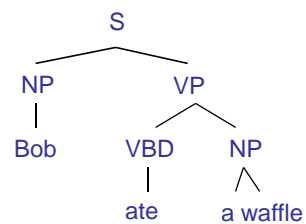
Indefinites

- First try

- “Bob ate a waffle” : $\text{ate}(\text{bob}, \text{waffle})$
- “Amy ate a waffle” : $\text{ate}(\text{amy}, \text{waffle})$

- Can't be right!

- $\exists x : \text{waffle}(x) \wedge \text{ate}(\text{bob}, x)$
- What does the translation of “a” have to be?
- What about “the”?
- What about “every”?



Grounding

- Grounding

- So why does the translation $\text{likes} : \lambda x. \lambda y. \text{likes}(y, x)$ have anything to do with actual liking?
- It doesn't (unless the denotation model says so)
- Sometimes that's enough: wire up **bought** to the appropriate entry in a database

- Meaning postulates

- Insist, e.g. $\forall x, y. \text{likes}(y, x) \rightarrow \text{knows}(y, x)$
- This gets into lexical semantics issues

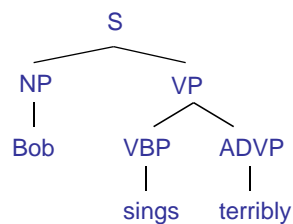
- Statistical version?

Tense and Events

- In general, you don't get far with verbs as predicates
- Better to have event variables e
 - "Alice danced" : $\text{danced}(\text{alice})$
 - $\exists e : \text{dance}(e) \wedge \text{agent}(e, \text{alice}) \wedge (\text{time}(e) < \text{now})$
- Event variables let you talk about non-trivial tense / aspect structures
 - "Alice had been dancing when Bob sneezed"
 - $\exists e, e' : \text{dance}(e) \wedge \text{agent}(e, \text{alice}) \wedge$
 $\text{sneeze}(e') \wedge \text{agent}(e', \text{bob}) \wedge$
 $(\text{start}(e) < \text{start}(e') \wedge \text{end}(e) = \text{end}(e')) \wedge$
 $(\text{time}(e') < \text{now})$

Adverbs

- What about adverbs?
 - "Bob sings terribly"
 - $\text{terribly}(\text{sings}(\text{bob}))?$
 - $(\text{terribly}(\text{sings}))(\text{bob})?$
 - $\exists e \text{ present}(e) \wedge$
 $\text{type}(e, \text{singing}) \wedge$
 $\text{agent}(e, \text{bob}) \wedge$
 $\text{manner}(e, \text{terrible}) ?$
 - It's really not this simple..



Propositional Attitudes

- “Bob thinks that I am a gummi bear”
 - $\text{thinks}(\text{bob}, \text{gummi}(\text{me}))$?
 - $\text{thinks}(\text{bob}, \text{“I am a gummi bear”})$?
 - $\text{thinks}(\text{bob}, \wedge \text{gummi}(\text{me}))$?
- Usual solution involves intensions ($\wedge X$) which are, roughly, the set of possible worlds (or conditions) in which X is true
- Hard to deal with computationally
 - Modeling other agents models, etc
 - Can come up in simple dialog scenarios, e.g., if you want to talk about what your bill claims you bought vs. what you actually bought

Trickier Stuff

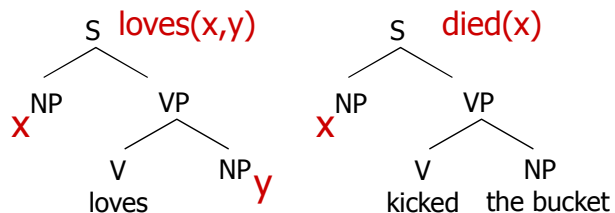
- Non-Intersective Adjectives
 - $\text{green ball} : \lambda x. [\text{green}(x) \wedge \text{ball}(x)]$
 - $\text{fake diamond} : \lambda x. [\text{fake}(x) \wedge \text{diamond}(x)]$? $\longrightarrow \lambda x. [\text{fake}(\text{diamond}(x))]$
- Generalized Quantifiers
 - $\text{the} : \lambda f. [\text{unique-member}(f)]$
 - $\text{all} : \lambda f. \lambda g [\forall x. f(x) \rightarrow g(x)]$
 - most ?
 - Could do with more general second order predicates, too (why worse?)
 - $\text{the}(\text{cat}, \text{meows}), \text{all}(\text{cat}, \text{meows})$
- Generics
 - “Cats like naps”
 - “The players scored a goal”
- Pronouns (and bound anaphora)
 - “If you have a dime, put it in the meter.”
- ... the list goes on and on!

Multiple Quantifiers

- Quantifier scope
 - Groucho Marx celebrates quantifier order ambiguity:
 “In this country a woman gives birth every 15 min.
 Our job is to find that woman and stop her.”
- Deciding between readings
 - “Bob bought a pumpkin every Halloween”
 - “Bob uses a Visa card for every purchase”
 - Multiple ways to work this out
 - Make it syntactic (movement)
 - Make it lexical (type-shifting)

Implementation, TAG, Idioms

- Add a “sem” feature to each context-free rule
 - $S \rightarrow NP \text{ loves } NP$
 - $S[\text{sem}=\text{loves}(x,y)] \rightarrow NP[\text{sem}=x] \text{ loves } NP[\text{sem}=y]$
 - Meaning of S depends on meaning of NPs
- TAG version:



- Template filling: $S[\text{sem}=\text{showflights}(x,y)] \rightarrow$
 I want a flight from $NP[\text{sem}=x]$ to $NP[\text{sem}=y]$

Modeling Uncertainty

- Gaping hole warning!
- Big difference between statistical disambiguation and statistical reasoning.

The scout saw the enemy soldiers with night goggles.

- With probabilistic parsers, can say things like “72% belief that the PP attaches to the NP.”
 - That means that *probably* the enemy has night vision goggles.
 - However, you can’t throw a logical assertion into a theorem prover with 72% confidence.
 - Use this to decide the expected utility of calling reinforcements?
- In short, we need probabilistic reasoning, not just probabilistic disambiguation followed by symbolic reasoning

CCG Parsing

- **Combinatory
Categorial
Grammar**

- Fully (mono-) lexicalized grammar
- Categories encode argument sequences
- Very closely related to the lambda calculus
- Can have spurious ambiguities (why?)

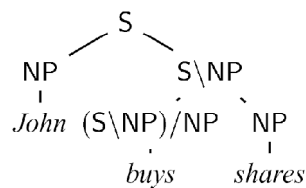
$John \vdash NP : john'$

$shares \vdash NP : shares'$

$buys \vdash (S \backslash NP) / NP : \lambda x. \lambda y. buys' xy$

$sleeps \vdash S \backslash NP : \lambda x. sleeps' x$

$well \vdash (S \backslash NP) \backslash (S \backslash NP) : \lambda f. \lambda x. well' (fx)$



Mapping to LF: Zettlemoyer & Collins 05/07

Given training examples like:

Input: List one way flights to Prague.

Output: $\lambda x. flight(x) \wedge one_way(x) \wedge to(x, PRG)$

Challenging Learning Problem:

- Derivations (or parses) are not annotated
- Approach: [Zettlemoyer & Collins 2005]
- Learn a lexicon and parameters for a weighted Combinatory Categorical Grammar (CCG)

[Slides from Luke Zettlemoyer]

Background

- Combinatory Categorical Grammar (CCG)
- Weighted CCGs
- Learning lexical entries: GENLEX

CCG Lexicon

Words	Category
flights	$N : \lambda x.flight(x)$
to	$(N \setminus N) / NP : \lambda x.\lambda f.\lambda y.f(x) \wedge to(y,x)$
Prague	$NP : PRG$
New York city	$NP : NYC$
...	...

Parsing Rules (Combinators)

Application

- $X/Y : f \quad Y : a \Rightarrow X : f(a)$
- $Y : a \quad X \setminus Y : f \Rightarrow X : f(a)$

Composition

- $X/Y : f \quad Y/Z : g \Rightarrow X/Z : \lambda x.f(g(x))$
- $Z \setminus Y : f \quad X \setminus Y : g \Rightarrow X \setminus Z : \lambda x.f(g(x))$

Additional rules:

- Type Raising
- Crossed Composition

CCG Parsing

Show me	flights	to	Prague
S/N $\lambda f.f$	N $\lambda x.flight(x)$	$(N \setminus N) / NP$ $\lambda y.\lambda f.\lambda x.f(y) \wedge to(x,y)$	NP PRG
		$N \setminus N$ $\lambda f.\lambda x.f(x) \wedge to(x,PRG)$	
		N $\lambda x.flight(x) \wedge to(x,PRG)$	
		S $\lambda x.flight(x) \wedge to(x,PRG)$	

Weighted CCG

Given a log-linear model with a CCG lexicon Λ , a feature vector f , and weights w .

- The best parse is:

$$y^* = \operatorname{argmax}_y w \cdot f(x, y)$$

Where we consider all possible parses y for the sentence x given the lexicon Λ .

Lexical Generation

Input Training Example

Sentence: Show me flights to Prague.
 Logic Form: $\lambda x.flight(x) \wedge to(x, PRG)$

Output Lexicon

Words	Category
Show me	S/N : $\lambda f.f$
flights	N : $\lambda x.flight(x)$
to	$(N \setminus N) / NP$: $\lambda x.\lambda f.\lambda y.f(x) \wedge to(y, x)$
Prague	NP : PRG
...	...

GENLEX: Substrings X Categories

Input Training Example

Sentence: Show me flights to Prague.
 Logic Form: $\lambda x.flight(x) \wedge to(x, PRG)$

Output Lexicon

All possible substrings:

Show
 me
 flights
 ...
 Show me
 Show me flights
 Show me flights to
 ...

X

Categories created by rules
 that trigger on the logical
 form:

NP : PRG
 N : $\lambda x.flight(x)$
 $(S \setminus NP) / NP$: $\lambda x.\lambda y.to(y, x)$
 $(N \setminus N) / NP$: $\lambda y.\lambda f.\lambda x. ...$
 ...

[Zettlemoyer & Collins 2005]

Challenge Revisited

The lexical entries that work for:

Show me	the latest	flight	from Boston	to Prague	on Friday
S/NP	NP/N	N	$N\backslash N$	$N\backslash N$	$N\backslash N$
...

Will not parse:

Boston	to	Prague	the latest	on	Friday
NP		$N\backslash N$	NP/N		$N\backslash N$
...	

Relaxed Parsing Rules

Two changes:

- Add application and composition rules that relax word order
- Add type shifting rules to recover missing words

These rules significantly relax the grammar

- Introduce features to count the number of times each new rule is used in a parse

Review: Application

$$\begin{array}{lcl} X/Y : f & Y : a & \Rightarrow X : f(a) \\ Y : a & X \setminus Y : f & \Rightarrow X : f(a) \end{array}$$

Disharmonic Application

- Reverse the direction of the principal category:

$$\begin{array}{lcl} X \setminus Y : f & Y : a & \Rightarrow X : f(a) \\ Y : a & X/Y : f & \Rightarrow X : f(a) \end{array}$$

flights	one way
$\begin{array}{c} \mathbf{N} \\ \lambda x.flight(x) \end{array}$	$\begin{array}{c} \mathbf{N/N} \\ \lambda f.\lambda x.f(x) \wedge one_way(x) \end{array}$
$\begin{array}{c} \mathbf{N} \\ \lambda x.flight(x) \wedge one_way(x) \end{array}$	

Missing content words

Insert missing semantic content

- NP : c => N\N : $\lambda f. \lambda x. f(x) \wedge p(x, c)$

flights	Boston	to Prague
$\lambda x. flight(x)$	BOS	$\lambda f. \lambda x. f(x) \wedge to(x, PRG)$
	$\lambda f. \lambda x. f(x) \wedge from(x, BOS)$	
	$\lambda x. flight(x) \wedge from(x, BOS)$	
	$\lambda x. flight(x) \wedge from(x, BOS) \wedge to(x, PRG)$	

Missing content-free words

Bypass missing nouns

- N\N : f => N : $f(\lambda x. true)$

Northwest Air	to Prague
$\lambda f. \lambda x. f(x) \wedge airline(x, NWA)$	$\lambda f. \lambda x. f(x) \wedge to(x, PRG)$
	$\lambda x. to(x, PRG)$
	$\lambda x. airline(x, NWA) \wedge to(x, PRG)$

Inputs: Training set $\{(x_i, z_i) \mid i=1 \dots n\}$ of sentences and logical forms. Initial lexicon Λ . Initial parameters w . Number of iterations T .

Computation: For $t = 1 \dots T, i = 1 \dots n$:

Step 1: Check Correctness

- Let $y^* = \operatorname{argmax}_y w \cdot f(x_i, y)$
- If $L(y^*) = z_i$, go to the next example

Step 2: Lexical Generation

- Set $\lambda = \Lambda \cup \text{GENLEX}(x_i, z_i)$
- Let $\hat{y} = \operatorname{arg} \max_{y \text{ s.t. } L(y)=z_i} w \cdot f(x_i, y)$
- Define λ_i to be the lexical entries in y^*
- Set lexicon to $\Lambda = \Lambda \cup \lambda_i$

Step 3: Update Parameters

- Let $y' = \operatorname{argmax}_y w \cdot f(x_i, y)$
- If $L(y') \neq z_i$
 - Set $w = w + f(x_i, \hat{y}) - f(x_i, y')$

Output: Lexicon Λ and parameters w .

Related Work for Evaluation

Hidden Vector State Model: He and Young 2006

- Learns a probabilistic push-down automaton with EM
- Is integrated with speech recognition

λ -WASP: Wong & Mooney 2007

- Builds a synchronous CFG with statistical machine translation techniques
- Easily applied to different languages

Zettlemoyer and Collins 2005

- Uses GENLEX with maximum likelihood batch training and stricter grammar

Two Natural Language Interfaces

ATIS (travel planning)

- Manually-transcribed speech queries
- 4500 training examples
- 500 example development set
- 500 test examples

Geo880 (geography)

- Edited sentences
- 600 training examples
- 280 test examples

Evaluation Metrics

Precision, Recall, and F-measure for:

- Completely correct logical forms
- Attribute / value partial credit

$\lambda x. flight(x) \wedge from(x, BOS) \wedge to(x, PRG)$

is represented as:

$\{ from = BOS, to = PRG \}$

Two-Pass Parsing

Simple method to improve recall:

- For each test sentence that can not be parsed:
 - Reparse with word skipping
 - Every skipped word adds a constant penalty
 - Output the highest scoring new parse

ATIS Test Set

Exact Match Accuracy:

	Precision	Recall	F1
Single-Pass	90.61	81.92	86.05
Two-Pass	85.75	84.60	85.16

Geo880 Test Set

Exact Match Accuracy:

	Precision	Recall	F1
Single-Pass	95.49	83.20	88.93
Two-Pass	91.63	86.07	88.76
Zettlemoyer & Collins 2005	96.25	79.29	86.95
Wong & Money 2007	93.72	80.00	86.31