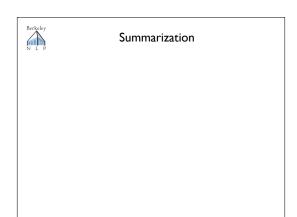
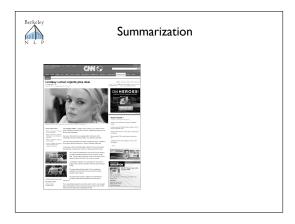
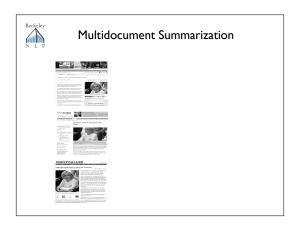
# Automatic Summarization (and other stuff)

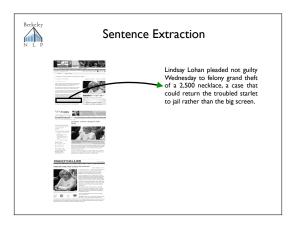


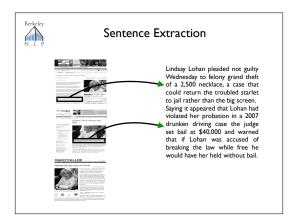
Taylor Berg-Kirkpatrick CS 288 UC Berkeley

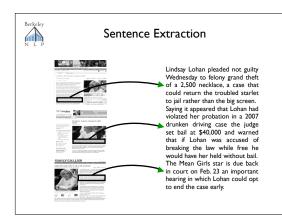


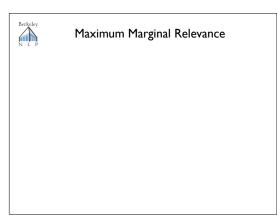


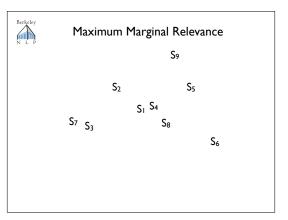


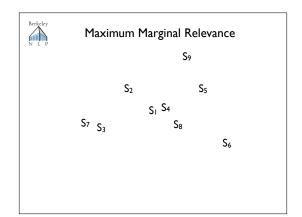


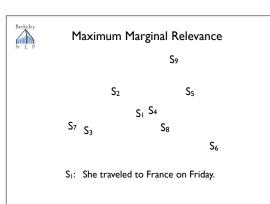


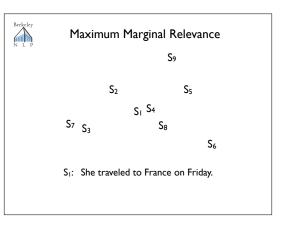














## Maximum Marginal Relevance

S<sub>9</sub>

S<sub>1</sub>: She traveled to France on Friday.S<sub>4</sub>: On Friday, She took a trip to France.



## Maximum Marginal Relevance

S<sub>9</sub>

S<sub>1</sub>: She traveled to France on Friday.S<sub>4</sub>: On Friday, She took a trip to France.



## Maximum Marginal Relevance

S<sub>9</sub>

S<sub>1</sub>: She traveled to France on Friday.
S<sub>4</sub>: On Friday, She took a trip to France.
S<sub>8</sub>: She plans to stay for two weeks.



## Maximum Marginal Relevance

S<sub>9</sub>

S<sub>1</sub>: She traveled to France on Friday.
S<sub>4</sub>: On Friday, She took a trip to France.
S<sub>8</sub>: She plans to stay for two weeks.



## Maximum Marginal Relevance

S9



## Maximum Marginal Relevance

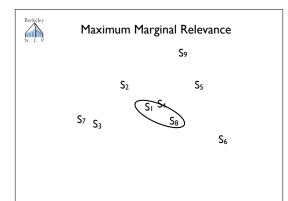
S9

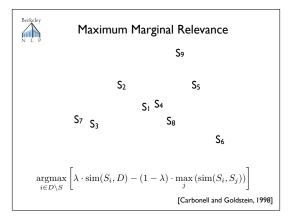
 Berkeley N L P

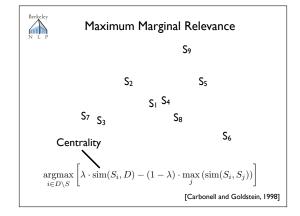
## Maximum Marginal Relevance

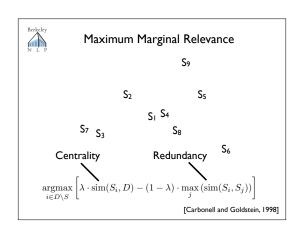
S<sub>9</sub>

S<sub>6</sub>





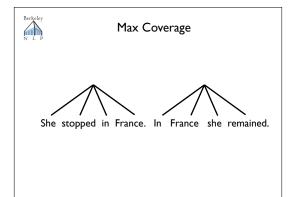


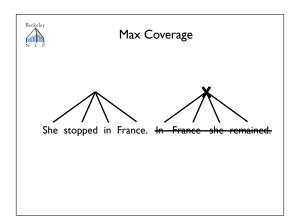


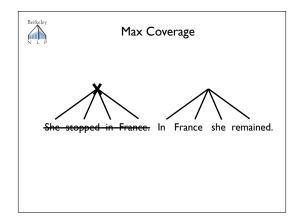


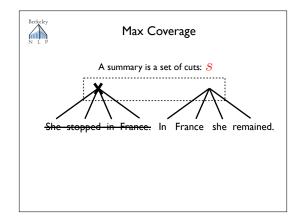
## Max Coverage

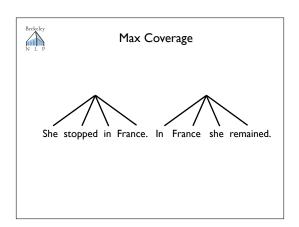
She stopped in France. In France she remained.

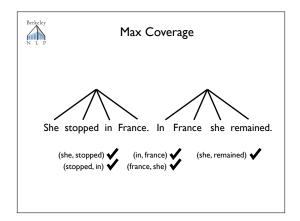


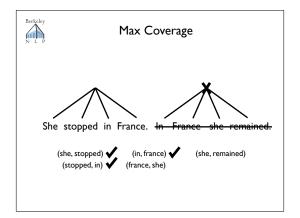


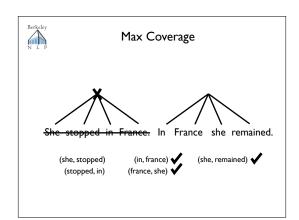


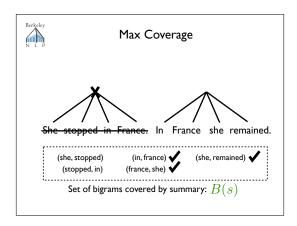














## Max Coverage

 $\max_{s} \text{ coverage}(s)$ 



# Max Coverage

 $\max_s \ \operatorname{coverage}(s)$ 

s.t. length(s)  $\leq L_{max}$ 



## Max Coverage

$$\max_{s} \sum_{b \in B(s)} \text{value}(b)$$

s.t. length(s)  $\leq L_{max}$ 



## Max Coverage

$$\max_{s} \sum_{b \in B(s)} \mathrm{value}(b)$$

s.t.  $\operatorname{length}(s) \leq L_{max}$ 

$$value(b) = freq(b)$$



## Max Coverage

$$\max_{s} \sum_{b \in B(s)} \text{value}(b)$$

s.t.  $\operatorname{length}(s) \leq L_{max}$ 

$$value(b) = freq(b)$$

[Gillick and Favre 2008]

$$\max_{s} \sum_{b \in B(s)} \mathrm{value}(b)$$

s.t. length(s)  $\leq L_{max}$ 

[Gillick and Favre 2008]



## ILP for Decoding

$$\max_{s} \sum_{b \in B(s)} \text{value}(b)$$

s.t. length(s)  $\leq L_{max}$ 



## ILP for Decoding

$$\max_{s,z} \sum_{b} z_b \cdot \text{value}(b)$$

s.t. length(s)  $\leq L_{max}$ 

## ILP for Decoding

$$\max_{s,z} \ \sum_b z_b \cdot \text{value}(b)$$

s.t. length(s)  $\leq L_{max}$ 

bigrams in  $\boldsymbol{s}$  are covered



#### ILP for Decoding

$$\max_{s,z} \sum_{b} z_b \cdot \text{value}(b)$$

s.t.  $\operatorname{length}(s) \leq L_{max}$ 

bigrams in S are covered

only bigrams in s are covered

### ILP for Decoding

$$\max_{s,z} \sum_{b} z_b \cdot \text{value}(b)$$

s.t. 
$$\sum_{n} l_{n} s_{n} \leq L_{\text{max}}$$

$$\forall n, b \quad s_{n} Q_{nb} \leq z_{b}$$

$$\forall b \quad \sum_{n} s_{n} Q_{nb} \geq z_{b}$$

$$\forall n, b \quad s_n Q_{nb} \leq z_b$$

$$\forall_b \quad \sum_n s_n Q_{nb} \ge z$$



#### Linear Model for Extraction

$$\max_{s} \sum_{b \in B(s)} \text{value}(b)$$

s.t. 
$$length(s) \le L_{max}$$

$$\mathrm{value}(b) = \mathrm{freq}(b)$$



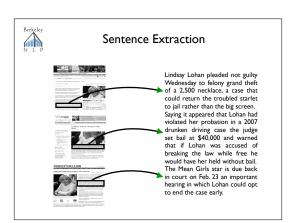
#### Linear Model for Extraction

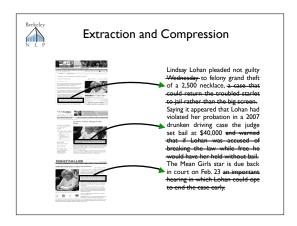
$$\max_{s} \sum_{b \in B(s)} \text{value}(b)$$

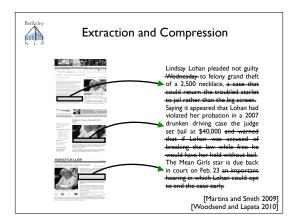
s.t.  $length(s) \le L_{max}$ 

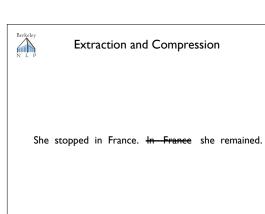
#### Parameterize using features:

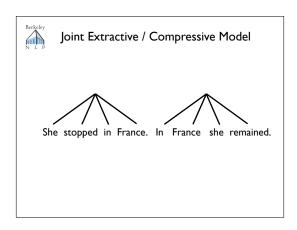
$$value(b) = w^{\top} f(b)$$

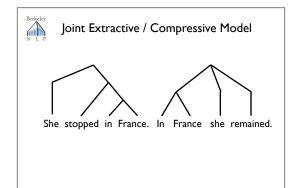


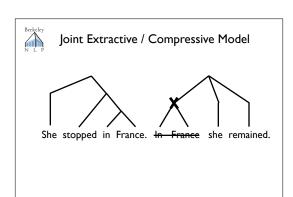


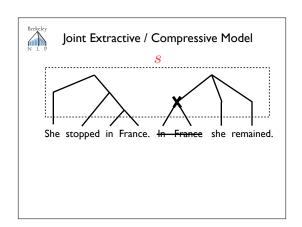


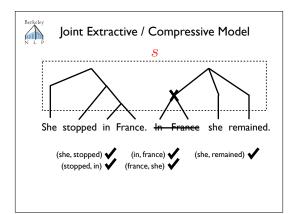


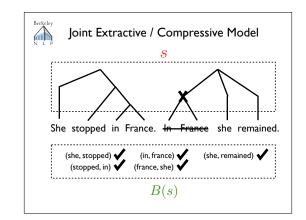


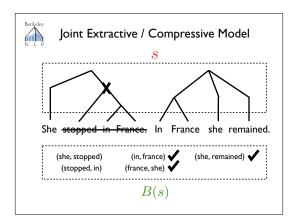














Joint Extractive / Compressive Model

$$\max_{s} \left[ \sum_{b \in B(s)} \text{value}(b) \right]$$

Joint Extractive / Compressive Model

$$\max_{s} \left[ \sum_{b \in B(s)} \text{value}(b) + \sum_{c \in s} \text{value}(c) \right]$$

Joint Extractive / Compressive Model

$$\max_{s} \left[ \sum_{b \in B(s)} \text{value}(b) + \sum_{c \in s} \text{value}(c) \right]$$

Parameterize using features:

$$value(b) = w^{\top} f(b)$$

$$value(c) = w^{\top} f(c)$$



## Learning

Linear prediction:

$$score(s) = w^{\top} f(s)$$



## Learning

Linear prediction:

$$score(s) = w^{\top} f(s)$$

Feature function factors:

$$f(s) = \sum_{b \in B(s)} f(b) + \sum_{c \in s} f(c)$$



#### **Features**



#### **Features**

Bigram Features f(b)



#### **Features**

Bigram Features f(b) Cut Features f(c)



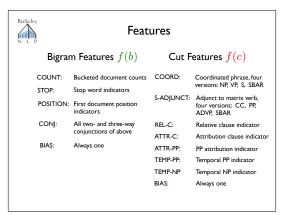
#### **Features**

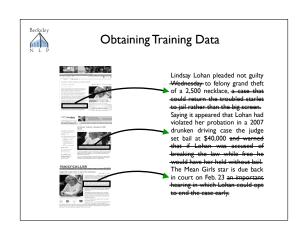
Bigram Features f(b) Cut Features f(c)

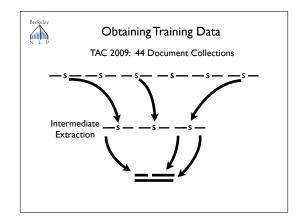
COUNT: Bucketed document counts
STOP: Stop word indicators
POSITION: First document position indicators

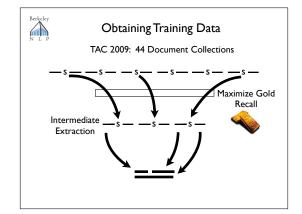
CONJ: All two- and three-way conjunctions of above

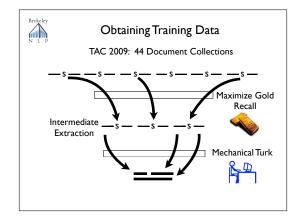
AS: Always one

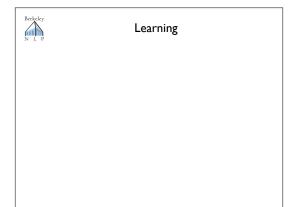














## Learning

Structured SVM Training:



# Learning

Structured SVM Training:

$$\min_{w} \quad \|w\|_2^2$$



## Learning

Structured SVM Training:

$$\min_{w} \quad \|w\|_2^2$$

 $s.t. \;\;$  for all possible guess summaries:  ${\it score of gold exceeds score of guess by loss}$ 



#### Learning

Structured SVM Training:

$$\min_{w} \quad \|w\|_2^2$$

 $s.t. \;\;$  for all possible guess summaries:

$$w^{\top} f(S^*) - w^{\top} f(S) \ge \log(S^*, S)$$



#### Learning

Structured SVM Training:

$$\min_{w} \quad \|w\|_2^2$$

 $s.t. \;\;$  for all possible guess summaries:

$$w^{\top} f(S^*) - w^{\top} f(S) \ge \log(S^*, S) - \xi$$



# Learning

Structured SVM Training:

$$\min_{w} \left[ \|w\|_2^2 + \xi \right]$$

 $s.t. \;\;$  for all possible guess summaries:

$$w^{\top} f(S^*) - w^{\top} f(S) \ge \log(S^*, S) - \xi$$

Berkeley N L P

## Learning

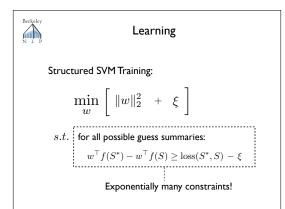
Structured SVM Training:

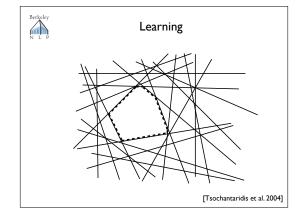
$$\min_{w} \left[ \|w\|_2^2 + \xi \right]$$

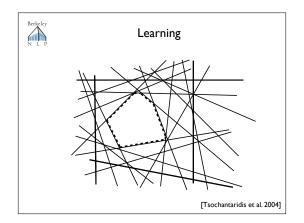
s.t. for all possible guess summaries:

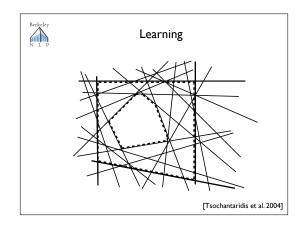
$$w^{ op}f(S^*) - w^{ op}f(S) \geq \overline{\mathrm{loss}(S^*,S)} - \xi$$
 End-to-end summaris

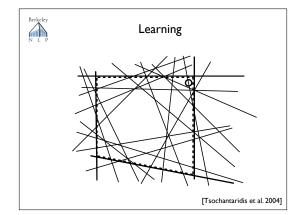
End-to-end summarization quality

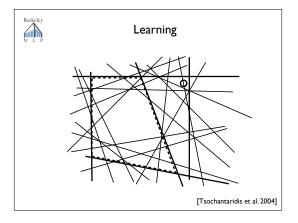


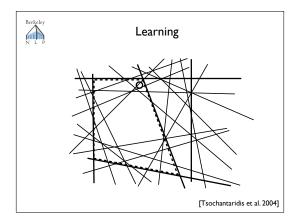


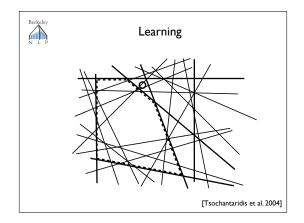


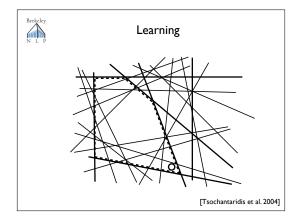


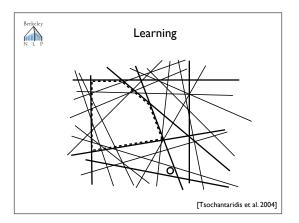


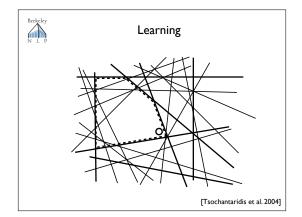


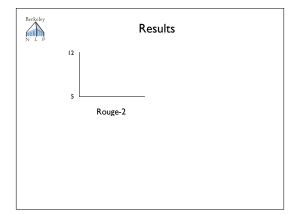


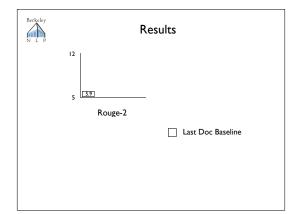


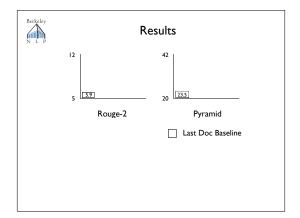


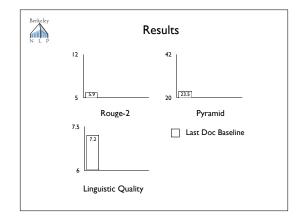


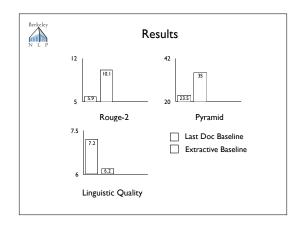


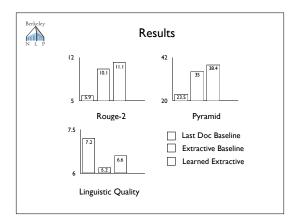


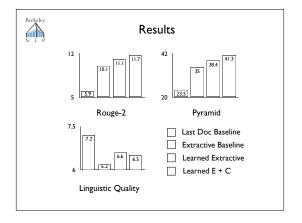


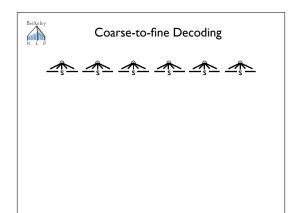


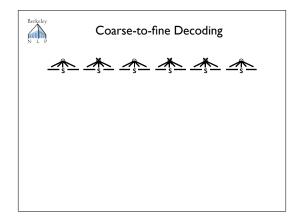


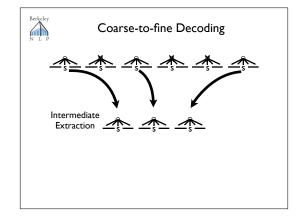


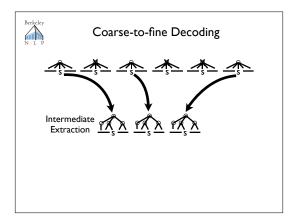


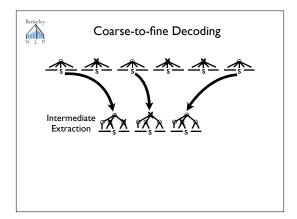


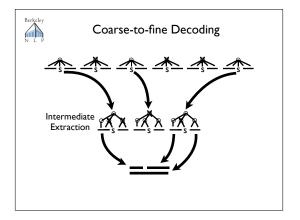


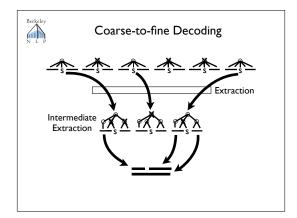


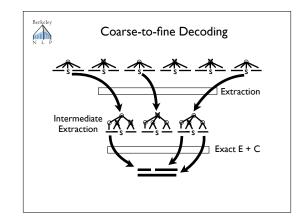


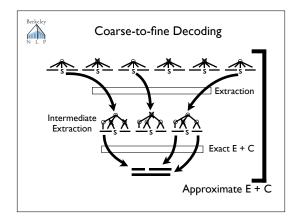


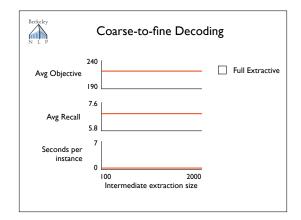


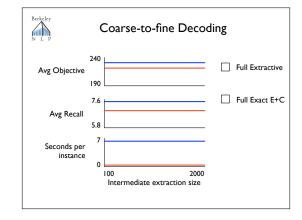


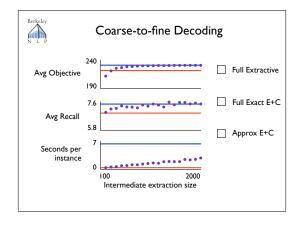


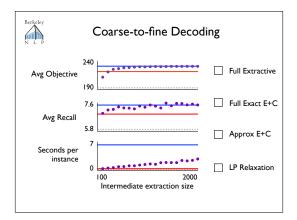


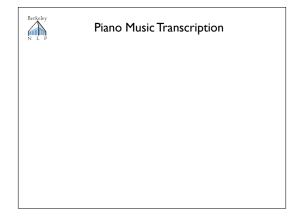


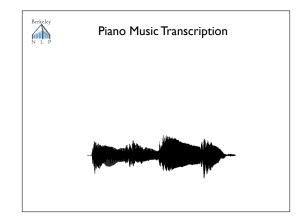


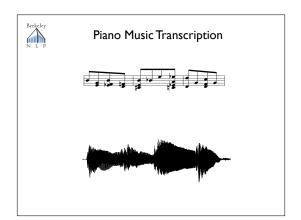


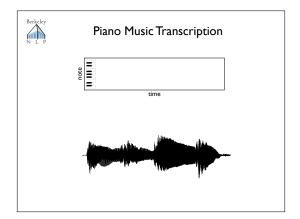




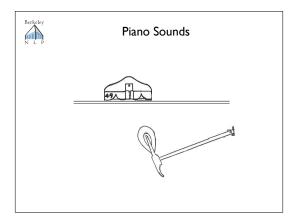


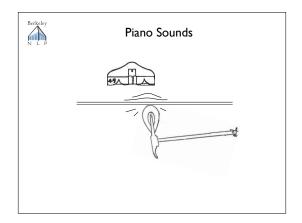


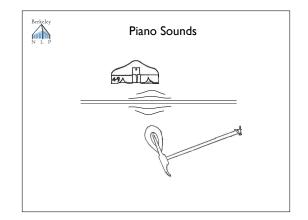


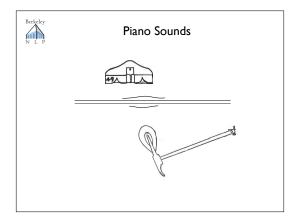


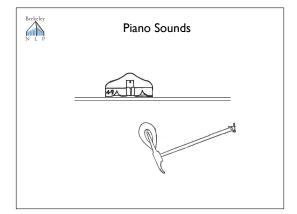


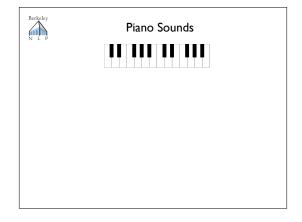


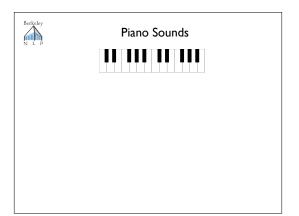


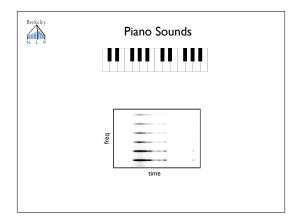


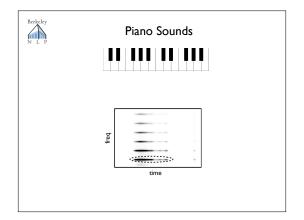


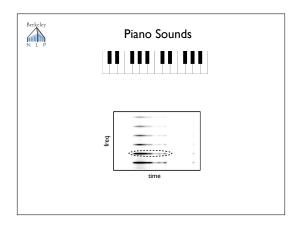


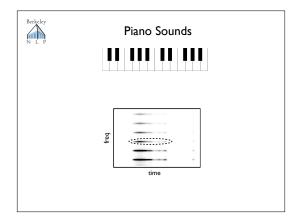


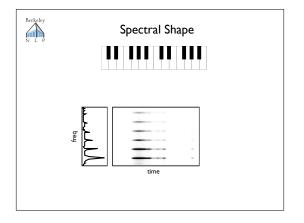


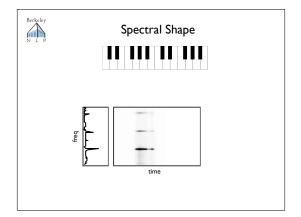


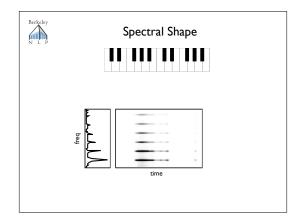


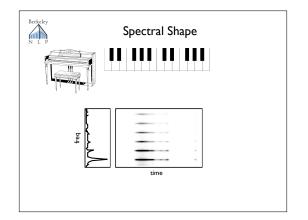


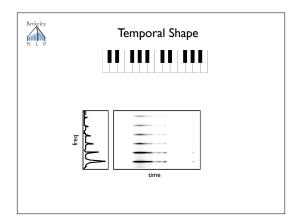


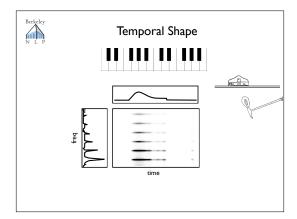


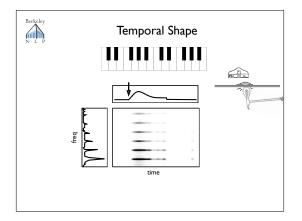


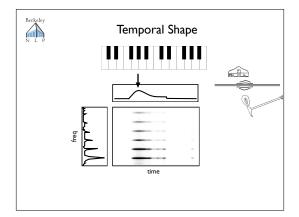


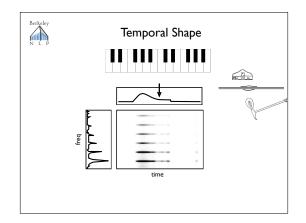


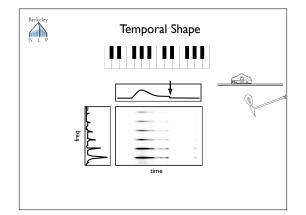


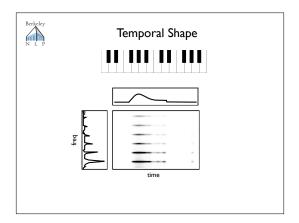


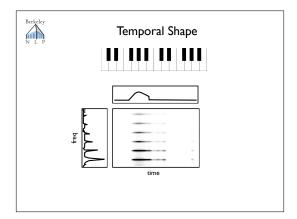


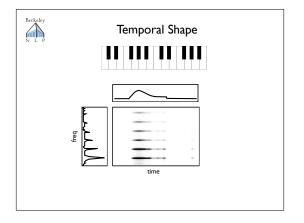


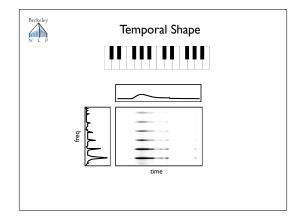


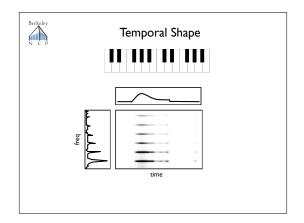


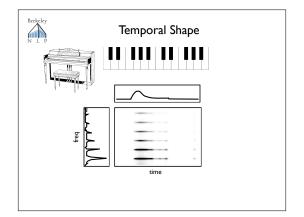


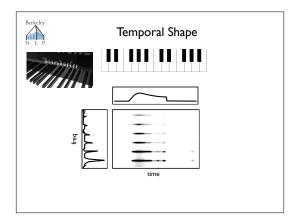


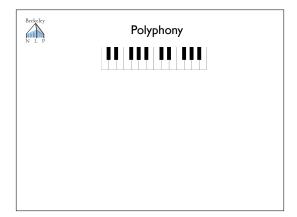


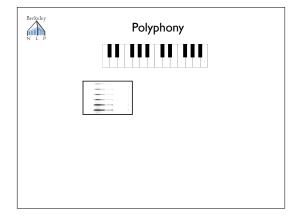


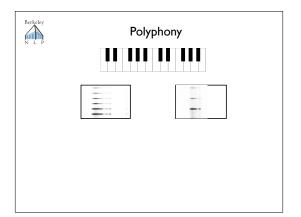


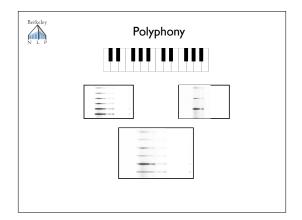


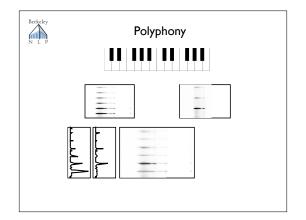


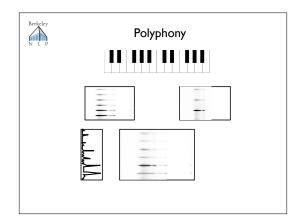


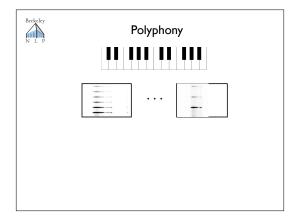


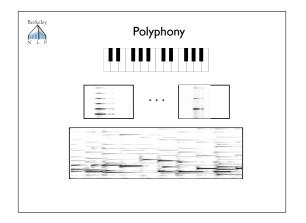


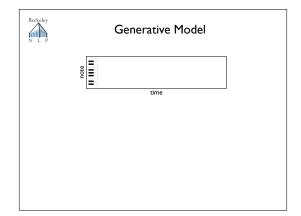


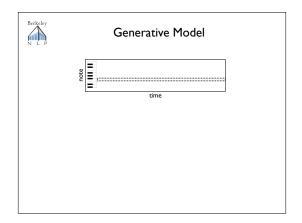


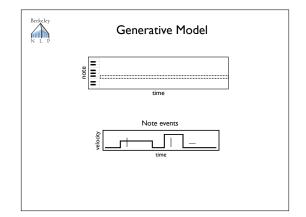


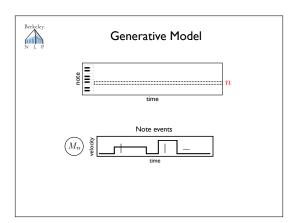


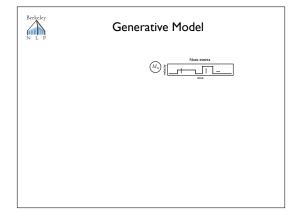


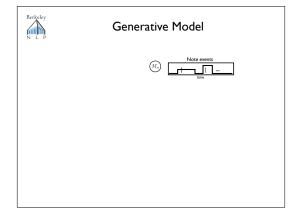


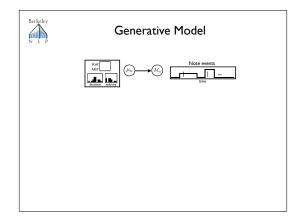


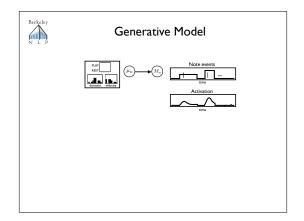


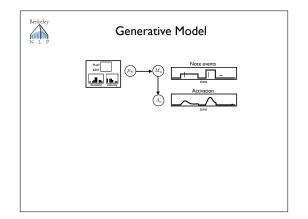


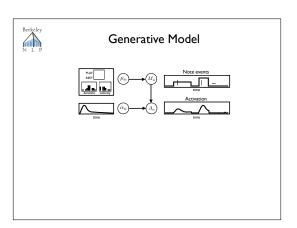


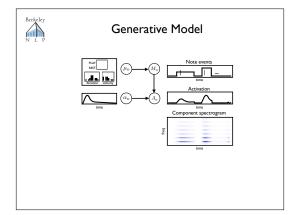


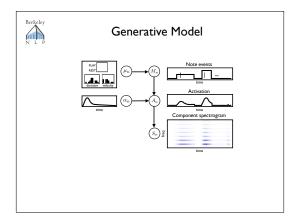


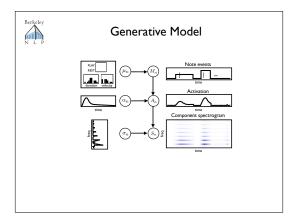


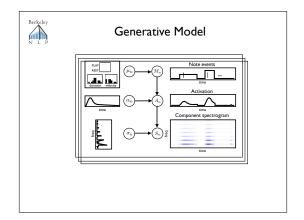


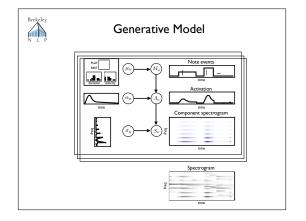


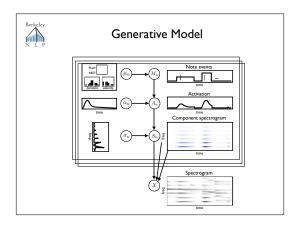


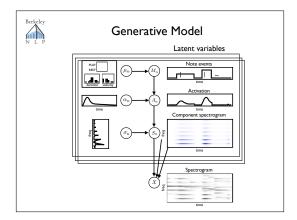


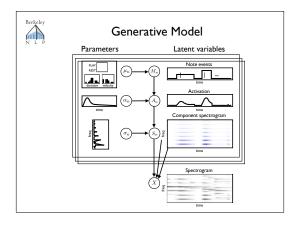


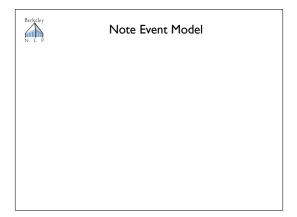


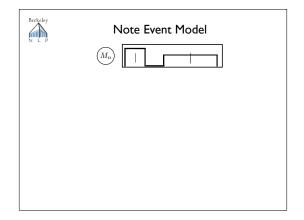


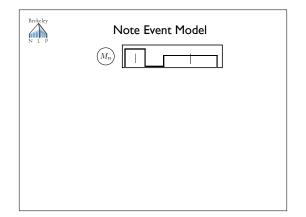


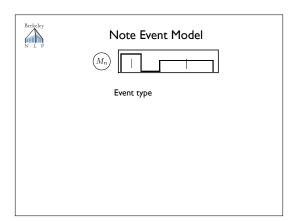


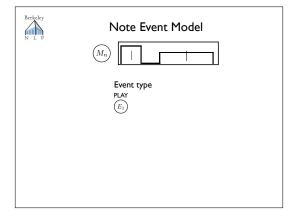


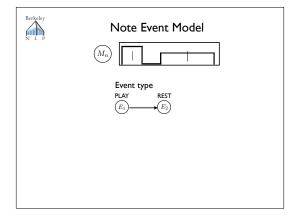


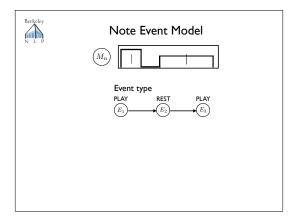


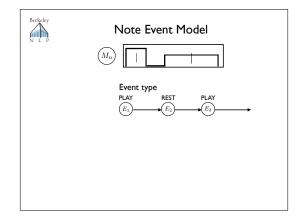


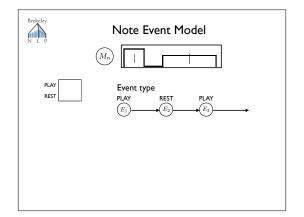


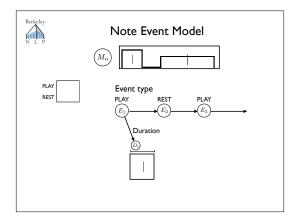


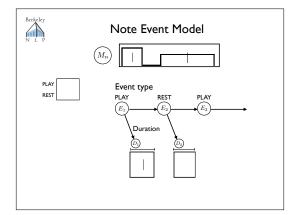


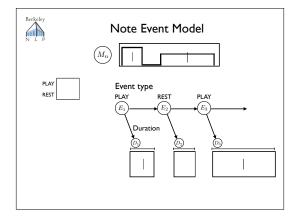


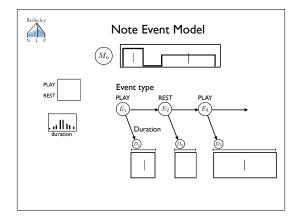


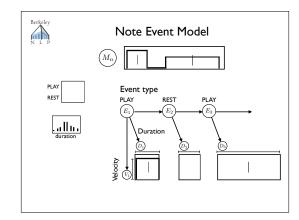


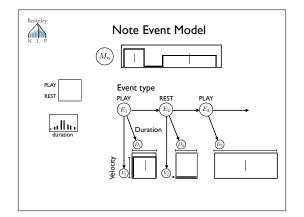


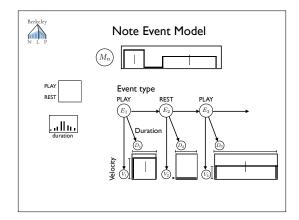


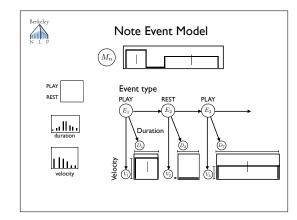


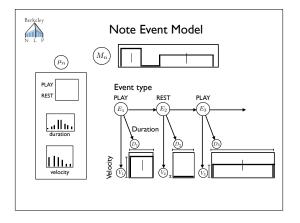


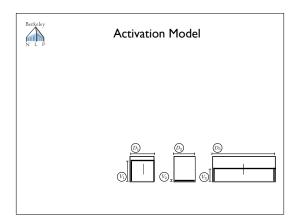


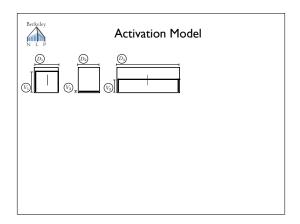


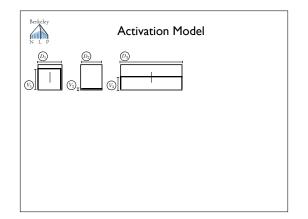


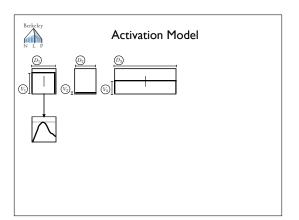


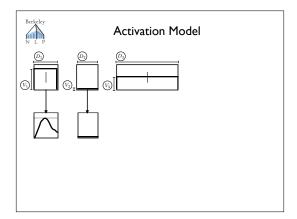


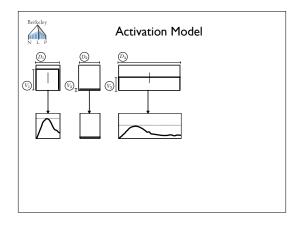


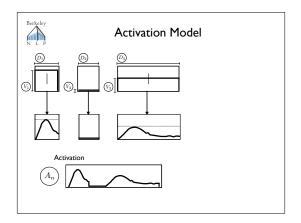


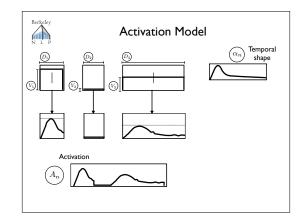


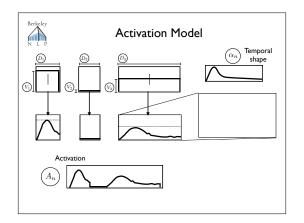


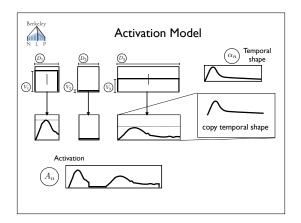


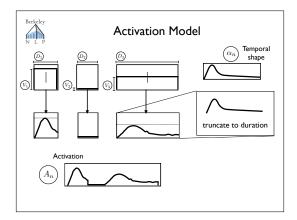


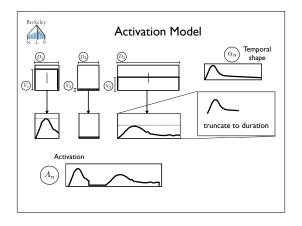


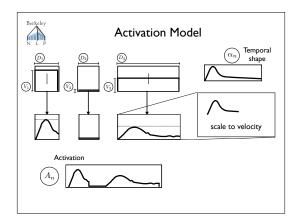


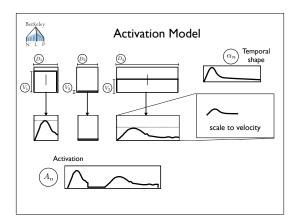


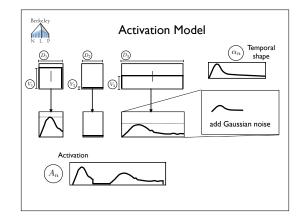


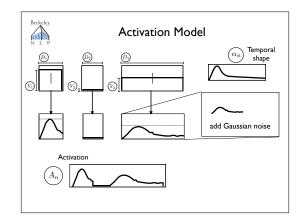


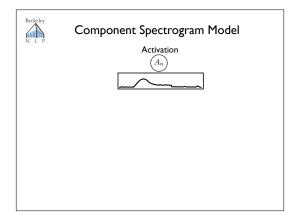


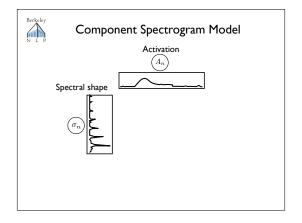


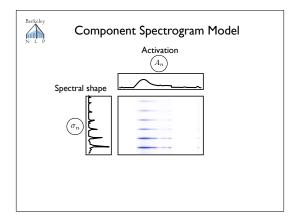


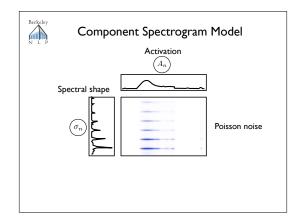


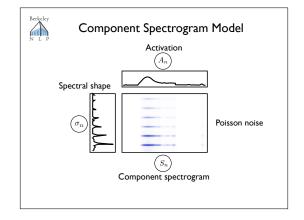


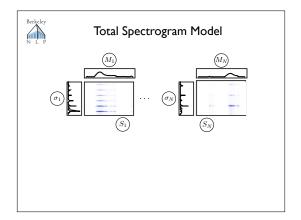


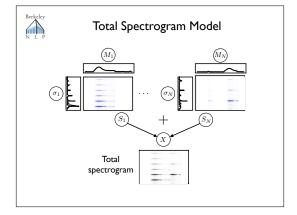


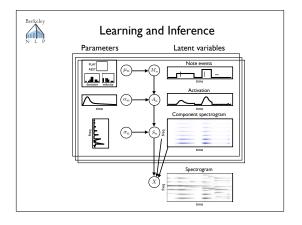


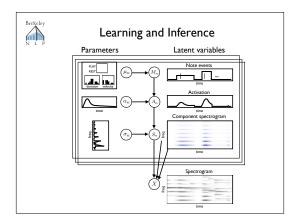


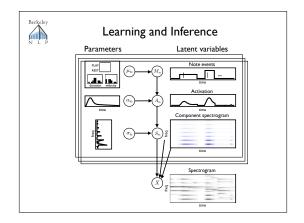


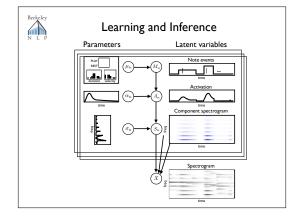


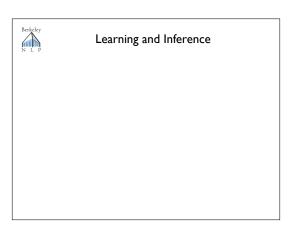


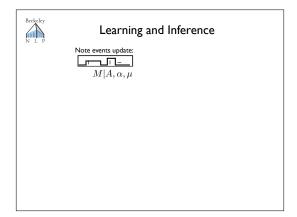














## Learning and Inference

Note events update: \_----- $M|A,\alpha,\mu$ 

Semi-Markov dynamic program



## Learning and Inference

Note events update:  $M|A, \alpha, \mu$ 

Semi-Markov dynamic program



## Learning and Inference

Note events update:  $M|A, \alpha, \mu$ 

Semi-Markov dynamic program

Closed form update



## Learning and Inference

Note events update: \_----

Semi-Markov dynamic program

 $M|A, \alpha, \mu$ 

Closed form update

Activations update: \_~~\_

 $A|M, X, \alpha, \sigma$ 



## Learning and Inference

Note events update: 

Semi-Markov dynamic program

 $M|A, \alpha, \mu$ 

Closed form update

Activations update: \_\_\_\_  $A|M,X,\alpha,\sigma$ 

Exponentiated gradient ascent



#### Learning and Inference

Note events update: 

Semi-Markov dynamic program

 $M|A, \alpha, \mu$ 

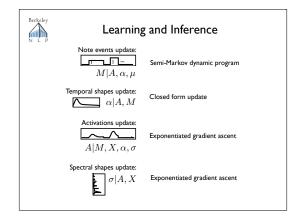
Closed form update

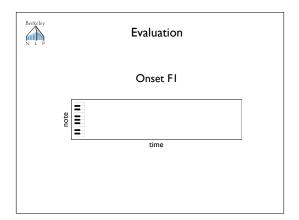
Activations update: \_~~\_  $A|M, X, \alpha, \sigma$ 

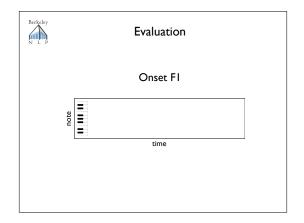
Exponentiated gradient ascent

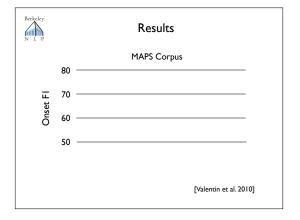
Spectral shapes update:

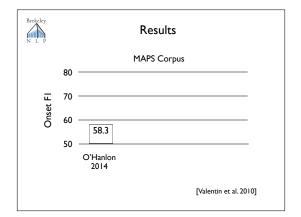
 $\sigma|A,X$ 

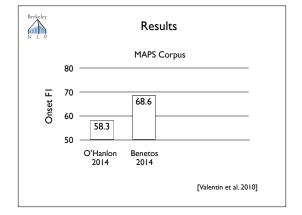


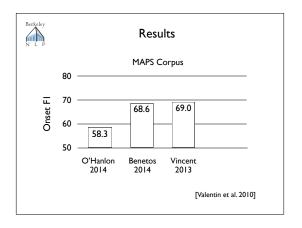


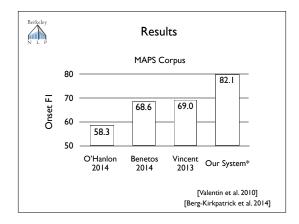


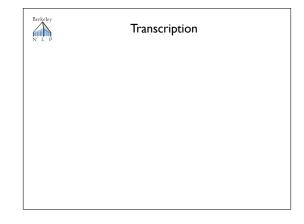


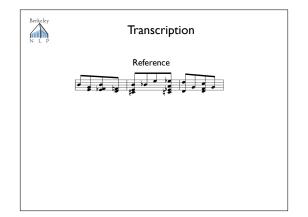


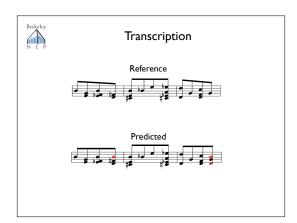


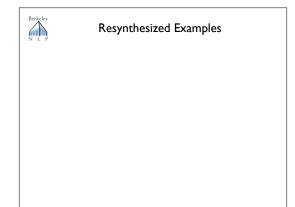














# Resynthesized Examples

Grieg input



# Resynthesized Examples

Grieg input Grieg resynth piano



# Resynthesized Examples

Grieg input
Grieg resynth piano
Grieg resynth guitar