

Pride and Prejudice and Zombies

Pride and Prejudice and Zombies, by Jane Austen and Seth Grahame-Smith, spices up the famous 1813 satire about marriage and social convention with intercalary appearances by zombies, skunks, ghouls, chipmunks and ninjas. Most literary critics praised PPZ (as it's known on Facebook) as “clever”, “insightful”, holding “indomitable appeal”, although Macy Halford of The New Yorker condemned Mr. Grahame-Smith's retelling as “awful”, and “one hundred per cent terrible”.

Here's a little known fact: the book's release was delayed by some 8 years due to several heated disagreements between Mr. Grahame-Smith and the editors at Quirk Books, the small publishing house in Philadelphia that eventually published the novel. The most impassioned of the arguments centered on the controversial “Vampire Number” chapter, where Mrs. Bennett — desperate to rally the English countryside's interest in matrimony — contrives a social event where 50 men and 50 women draw slips of paper from a large, feathery hat. “It is an axiom generally acknowledged, that a single man in possession of the complementary multiplicand, must be in want of a wife”, says Mrs. Bennett in announcing the event. On each slip of paper is a single three-digit number. The goal of the event was for each of the women to find the man whose three-digit number, when multiplied by her own, produced a six-digit number that reproduced the digits of the two “multiplicands” (Mrs. Bennett's word) with the correct “distribution” (also her word) in some order.

Mr. Grahame-Smith insisted the chapter was vital to the story arc, whereas Quirk Books considered it forced, obscure, boring, and unnecessarily intellectual. Furthermore, Quirk Books was initially contemplating a limited New England release and argued that no one outside of the Pacific Northwest understood math. Mr. Grahame-Smith eventually conceded this to be true, and agreed to cut the chapter. The chapter's existence only surfaced recently in a follow-up article in The New Yorker where Ms. Halford noted the novel would have “benefitted substantially” had it been included.

Vampire Numbers

It is generally acknowledged that Vampire numbers are positive integers with an even number — we'll say $2n$ — of digits where the $2n$ digits can be distributed across two n -digit numbers such that their product equals the original $2n$ -digit number. None of the three numbers can include leading zeroes, and neither of the two n -digit numbers can have consecutive zeroes anywhere.

For examples:

- $125460 = 204 \times 615$ (so 125460 is a Vampire number).
- $16758243290880 = 1982736 \times 8452080$ (so 16758243290880 is a Vampire number).
- 353 has an odd number of digits, so it can't be a Vampire number by definition.
- 3421 can't be subdivided properly, so it's not a Vampire number either.

Write a program that reads in a series of numbers (each at most 18 digits) and prints whether or not that number is a Vampire number.

Input

There will be an arbitrary number of inputs, one per line, with no leading zeroes or extraneous whitespace. Each number will have at most 18 digits. End of input is marked by a single 0 on its own line, for which no output should be produced.

Output

For each input, print the number, followed by a colon, followed by a space, followed by “yes” if the number is a Vampire number or “no” if it is not.

<u>Sample Input</u>	<u>Sample Output</u>
1260	1260: yes
6880	6880: yes
8680	8680: no
102510	102510: yes
108135	108135: yes
110758	110758: yes
115672	115672: yes
116725	116725: yes
125248	125248: yes
12054060	12054060: yes
13078260	13078260: yes
46847902	46847902: no
46847921	46847921: no
1001795850	1001795850: yes
315987404670	315987404670: yes
472812953760	472812953760: yes
10174695862032	10174695862032: yes
10174695862037	10174695862037: no
2512099504480801	2512099504480801: yes
8186379410403769	8186379410403769: yes
170147428389340249	170147428389340249: yes
189598345243224241	189598345243224241: yes
968781726110944201	968781726110944201: yes
968781726110944203	968781726110944203: no
698781726110944201	698781726110944201: no
0	

