

DHT Geometry and Proximity

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I. Background

Lots of DHTs, very hard to compare

- o what really matters?
- o idea: compare the component ideas, not the artifacts
- o generalize the DHTs to make them more comparable
- o better model of latency: “view from here”

Key results:

- o geometry matters: but mostly as a way to ensure flexibility
- o flexibility = more choice => better fault tolerance, better proximity

II. Geometry

Static resilience = ability to route well without repair

Geometry implies how many possible choices you have for neighbors (neighbor selection)

May also imply how many choices you have among neighbors at a given hop

Example: can take Chord steps out of order => more choice at a given point

Flexibility: what is not prevented by the geometry? (e.g. proximity, multiple choices?)

- o neighbor selection: how many potential neighbors do you have? (choose $O(\lg n)$ of those)
- o route selection: number of next possible hops?

Sequential neighbors add flexibility, but lead to slow ($O(n)$) progress; mostly for correctness

Basics:

- o Tree: lots of nodes that can make progress, but then only one is actually used for routing
- o Hypercube (CAN): like a tree but can route in any order, but only one possible neighbor in each direction!
- o Ring: can be flexible in neighbors (original Chord was not), and in order. Can also take longer paths
- o Hybrid: tree + sequential (Pastry)

Static resilience:

- o depends mostly on flexibility of routes, since neighbors don't change!
- o implies that ring and hypercube do well.. hybrid OK, and tree not so good
- o seq neighbors really help with resilience, at some cost of stretch
- o seq neighbors are better than reg neighbors for resilience, but worse for stretch

III. Proximity and Latency

PNS = choose proximate neighbors, requires neighbor flexibility

- o PNS(k) = PNS based on sampling k nodes (an approximation)

PRS = choose proximate routes, requires route flexibility

Latency model: trace-based view of the latency distribution from a single point

- o different and more accurate than previous assumptions

hypothesis: resilience depends on routing choices, performance depends on neighbor choices

PNS much more effective, mostly because there are many more neighbor choices than route choices!

- o ring: 2^i choices for PNS vs i choices for PRS

Geometry doesn't matter much other than its flexibility for PNS and PRS

- o compare three pairs: PNS+PRS: ring vs XOR, PNS only: ring vs tree, PRS only: ring vs. hypercube
- o actual latencies do go down significantly

IV. Local Convergence

Idea: want meeting points on the way to the destination

- o enables caching, multicast, aggregation

Test: cluster of m nodes (the domain) reaching out to rest of network

- o how many exit points are there?
- o PNS limits exit points well
- o but need really good sampling to find local neighbors...
- o geometry matters indirectly via PNS support (assuming sampling)

V. Other thoughts

Does ring win?

- o enables both PNS and PRS
- o may win due to minimal constraint! (implies more flexibility)

Can you do better with constant state?

- o need many possible neighbors for PNS, but need $\log n$ of them fundamentally
- o need multiple paths (PRS) for robustness, but again may only need k choices (not $\lg n$)
- o butterfly failure in this paper is not very convincing
- o does constant state matter? (is $k < \lg n$ for real networks?)

Better measure of resilience (during repair)?

- o a resilient network enables slow repair and high availability
- o likely related to expansion/conductance